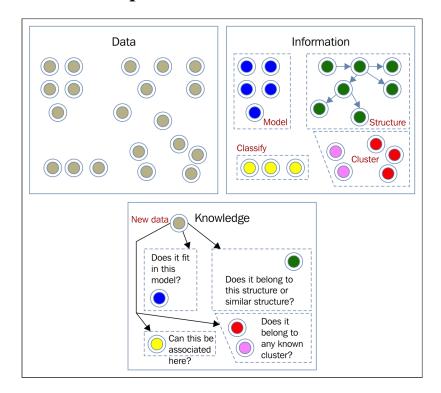
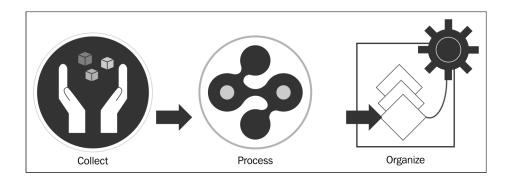
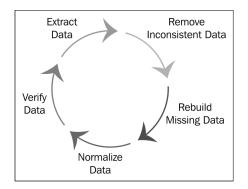
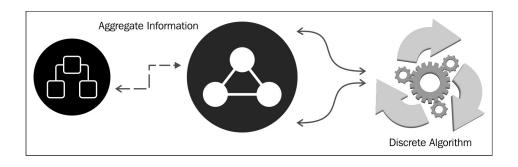
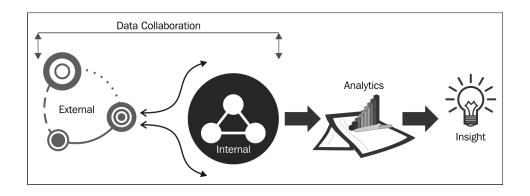
Chapter 1: A Conceptual Framework for Data Visualization

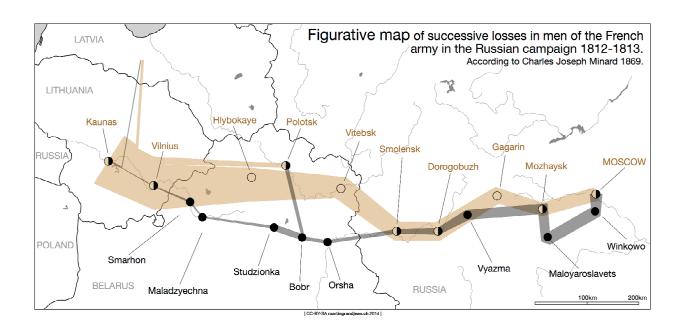


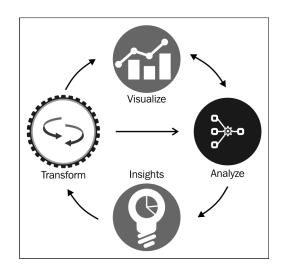


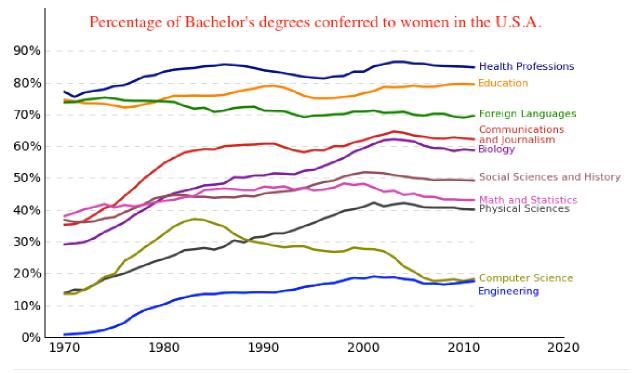


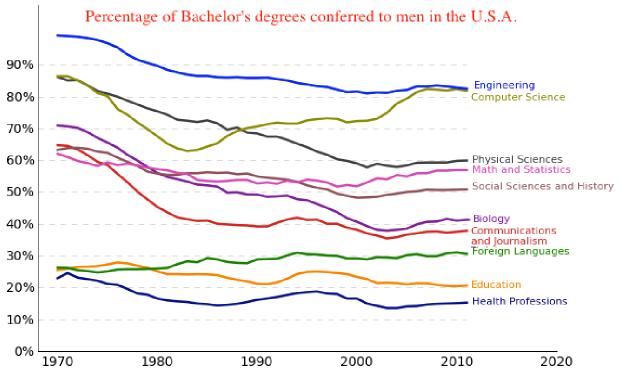


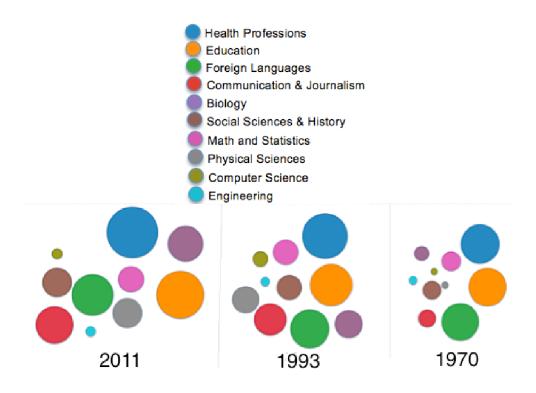




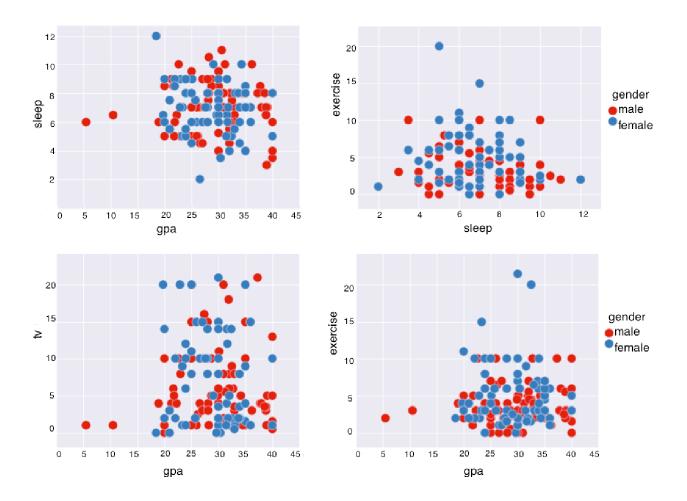


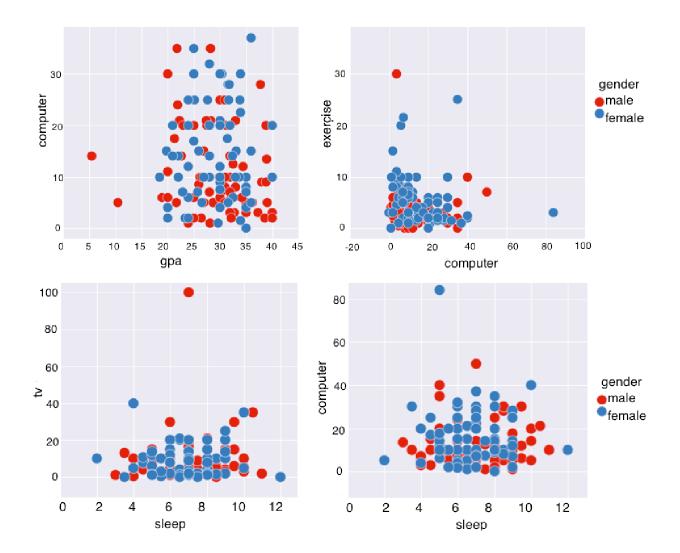


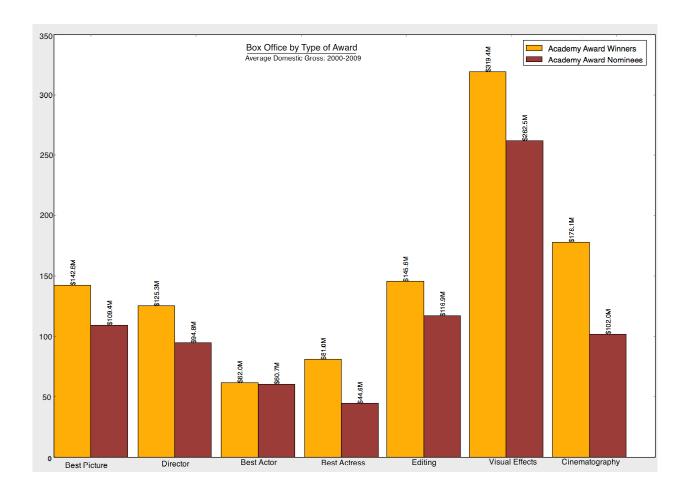


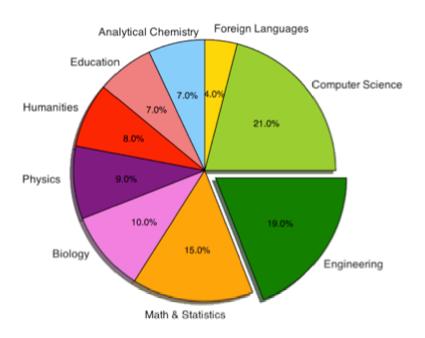


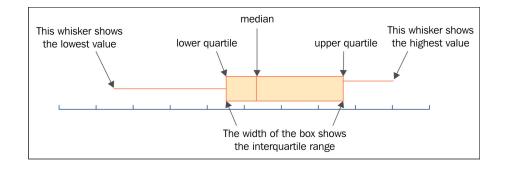
gender	tv	computer	sleep	height	momheight	dadheight	exercise	gpa
Female	13.0	10.0	3.50	66.0	66.0	71.0	10.0	4.000
Male	20.0	7.0	9.00	72.0	64.0	65.0	2.0	2.300
Male	15.0	15.0	6.00	68.0	62.0	74.0	3.0	2.600
Male	8.0	20.0	6.00	68.0	59.0	70.0	6.0	2.800
Female	2.5	10.0	5.00	64.0	65.0	70.0	6.5	2.620
Male	2.0	14.0	9.00	68.5	60.0	68.0	2.0	2.200
Female	4.0	28.0	8.50	69.0	66.0	76.0	3.0	3.780
Female	8.0	10.0	7.00	66.0	63.0	70.0	4.5	3.200
Male	1.0	15.0	8.00	70.0	68.0	71.0	3.0	3.310
Male	8.0	25.0	4.50	67.0	63.0	66.0	6.0	3.390
Male	3.5	9.0	8.00	68.0	62.0	64.0	8.0	3.000
Female	11.0	20.0	5.00	68.0	64.0	69.0	0.0	2.500
Male	10.0	14.0	8.00	68.0	61.0	72.0	10.0	2.800
Male	1.0	84.0	5.00	61.0	62.0	62.0	3.0	2.340
Female	10.0	11.0	9.00	65.0	62.0	66.0	5.0	2.000

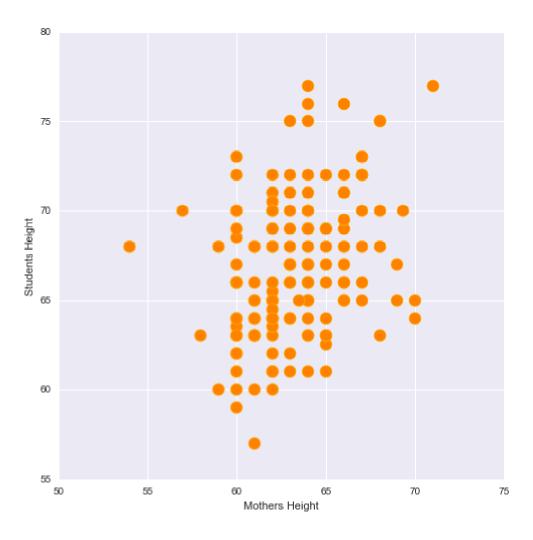


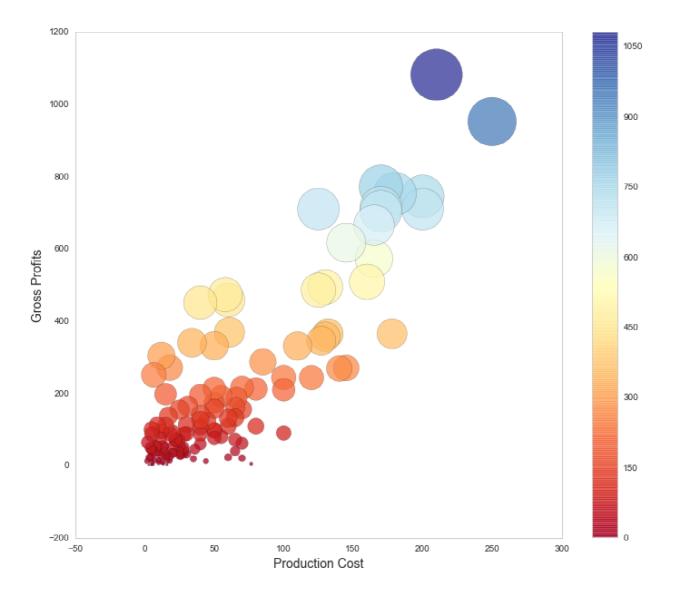


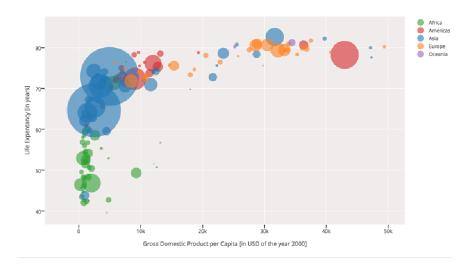


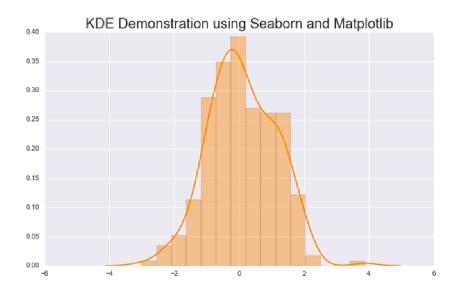


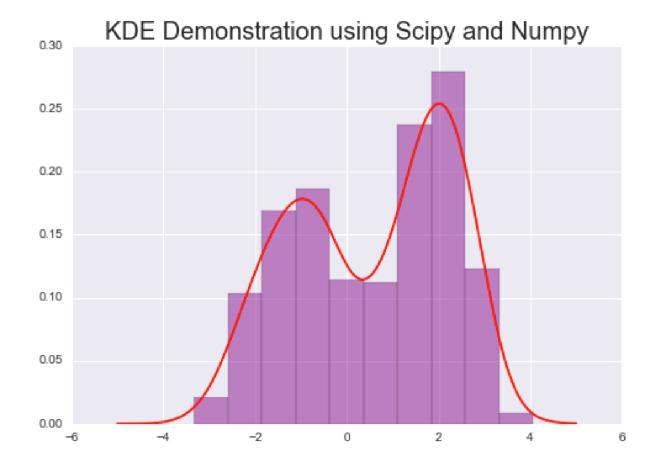




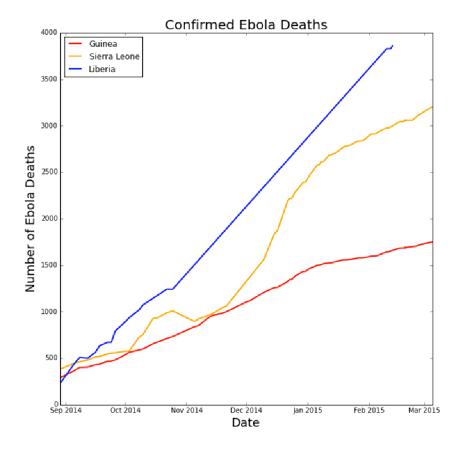


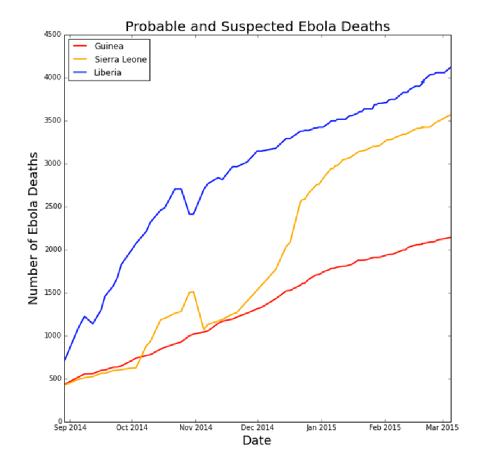




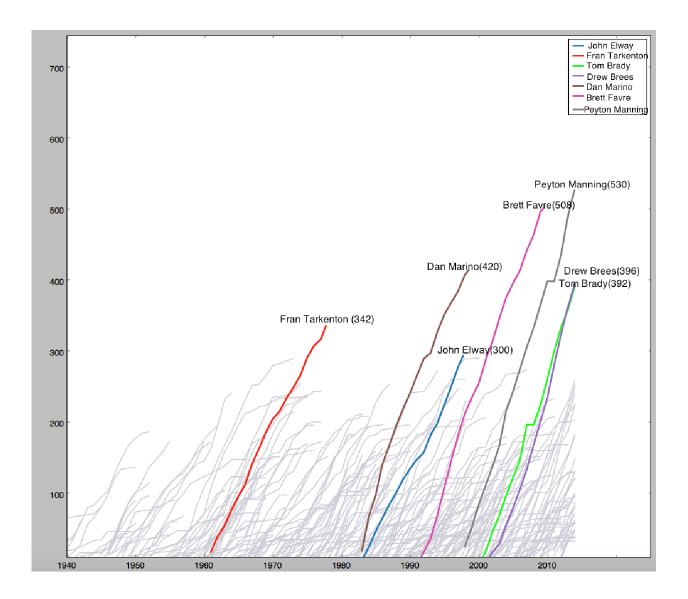


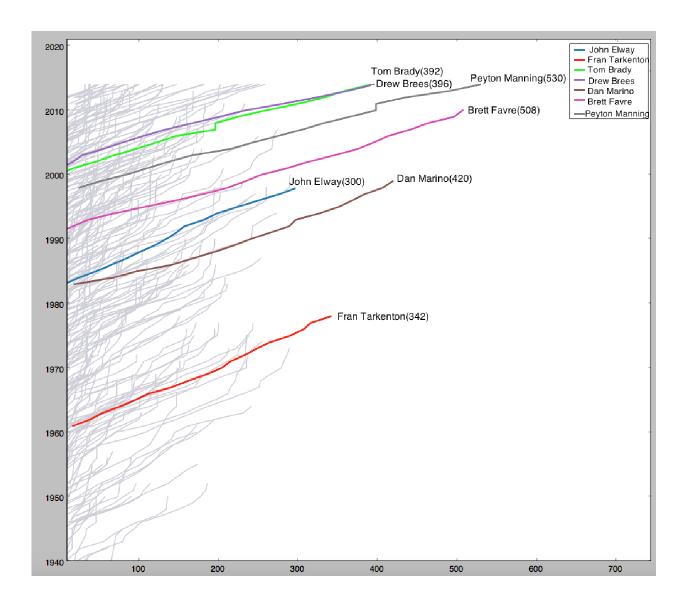
Chapter 2: Data Analysis and Visualization

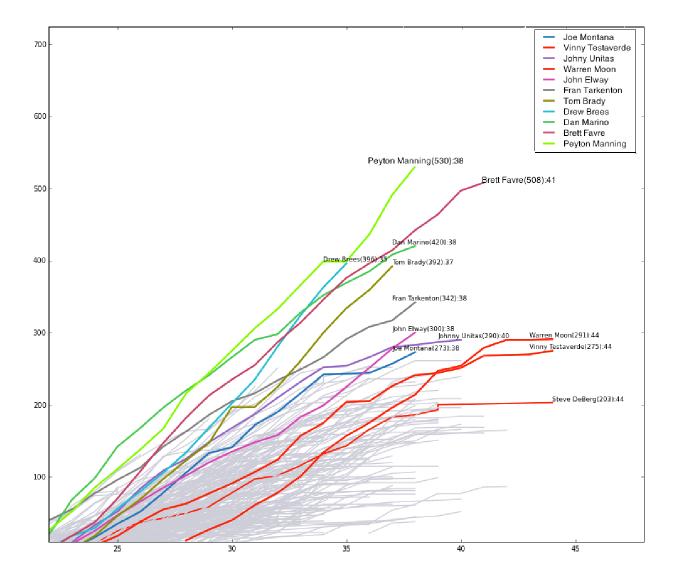


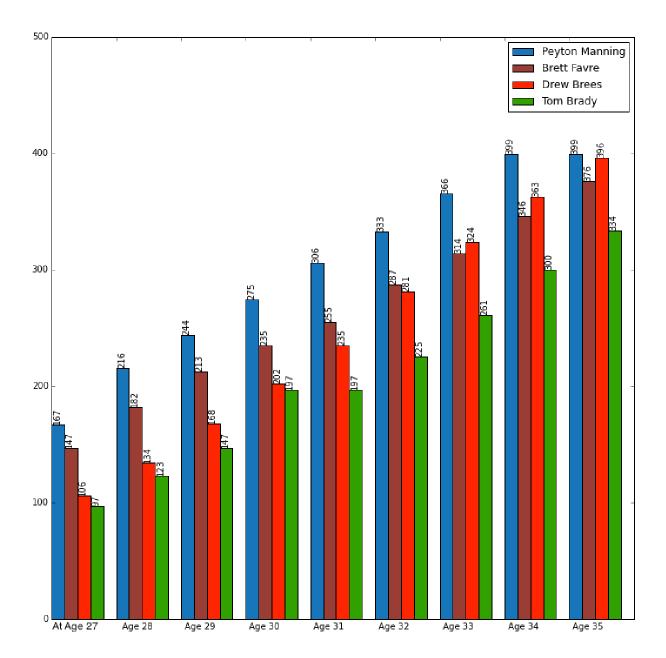


Name	•	Year ‡	Age [‡]	Cmp [‡]	Att [‡]	Yds [‡]	TD ÷	Teams [‡]
Peyton Manning		1998	22	326	575	3739	26	Multi
Peyton Manning		1999	23	331	533	4135	26	Multi
Peyton Manning		2000	24	357	571	4413	33	Multi
Peyton Manning		2001	25	343	547	4131	26	Multi
Peyton Manning		2002	26	392	591	4200	27	Multi
Peyton Manning		2003	27	379	566	4267	29	Multi
Peyton Manning		2004	28	336	497	4557	49	Multi
Peyton Manning		2005	29	305	453	3747	28	Multi
Peyton Manning		2006	30	362	557	4397	31	Multi
Peyton Manning		2007	31	337	515	4040	31	Multi
Peyton Manning		2008	32	371	555	4002	27	Multi
Peyton Manning		2009	33	393	571	4500	33	Multi
Peyton Manning		2010	34	450	679	4700	33	Multi
Peyton Manning		2011	35	0	0	0	0	Multi
Peyton Manning		2012	36	400	583	4659	37	Multi
Peyton Manning		2013	37	450	659	5477	55	Multi

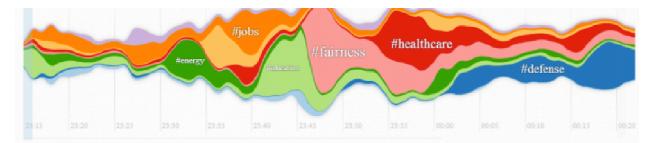












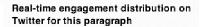
#SOTU2014: See the State of The Union address minute by minute on Twitter

Explore the speech and see the realtime reaction on Twitter. Scroll to a paragraph to see the volume of Tweets, the subjects debated on Twitter and where people are talking about them across the U.S. Click the spikes on the chart and see which paragraphs are being talked about most. Share your key paragraphs: each one has a unique url for you to Tweet.

Mr. Speaker, Mr. Vice President, Members of Congress, my fellow Americans:

Today in America, a teacher spent extra time with a student who needed it, and did her part to lift America's graduation rate to its highest level in more than three decades.

An entrepreneur flipped on the lights in her tech startup, and did her part to add to the more than eight million new jobs our businesses have



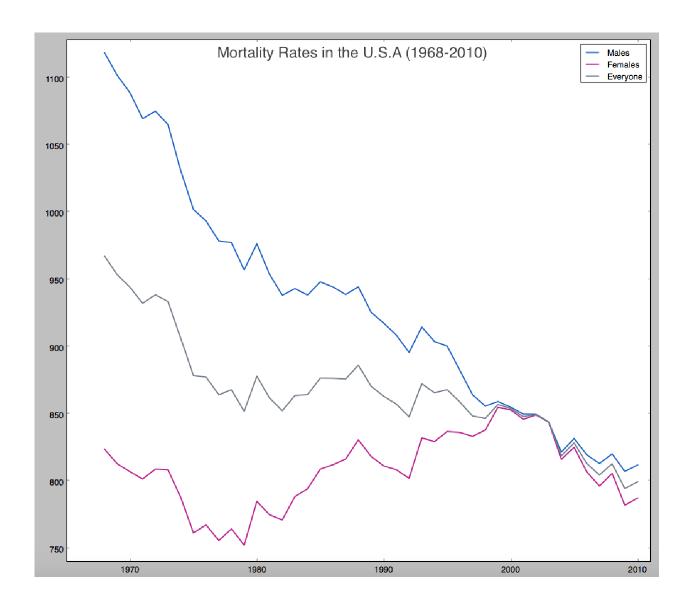


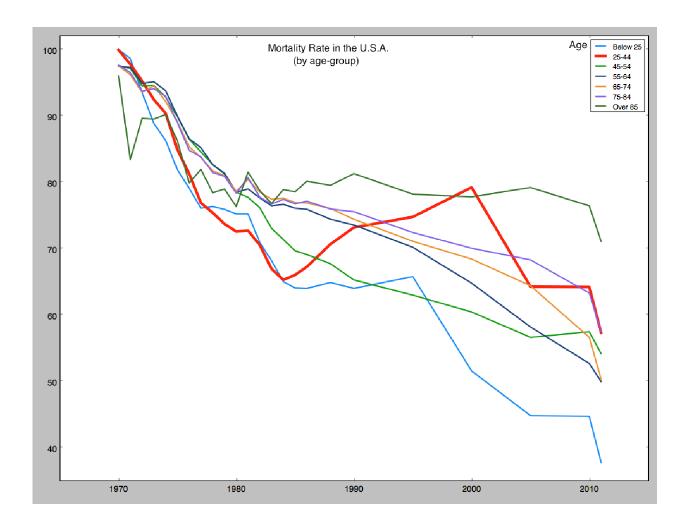
Low Engagement High Engagement

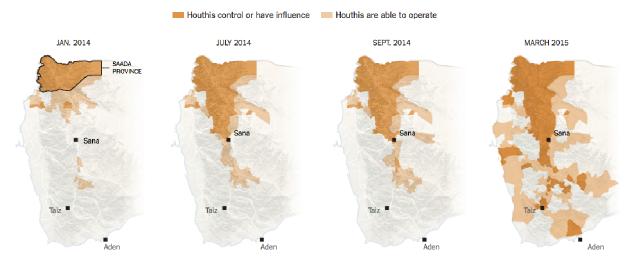
Map for #education

#budget #defense #education #energy

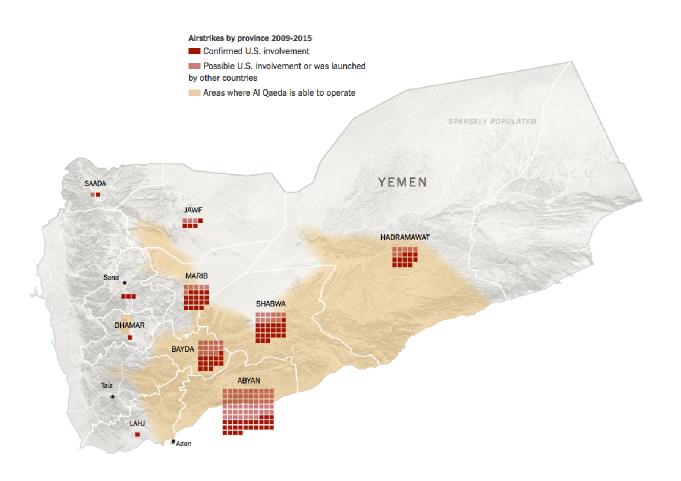
#fairness #healthcare #immigration #jobs

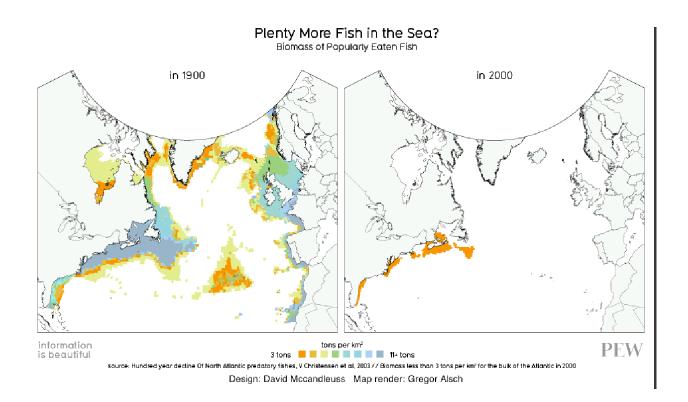






Source: American Enterprise Institute's Critical Threats Project

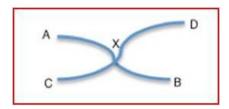




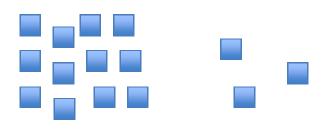




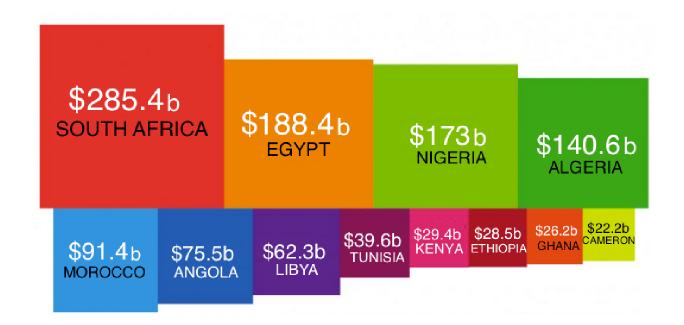


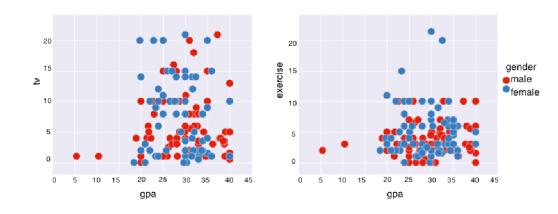


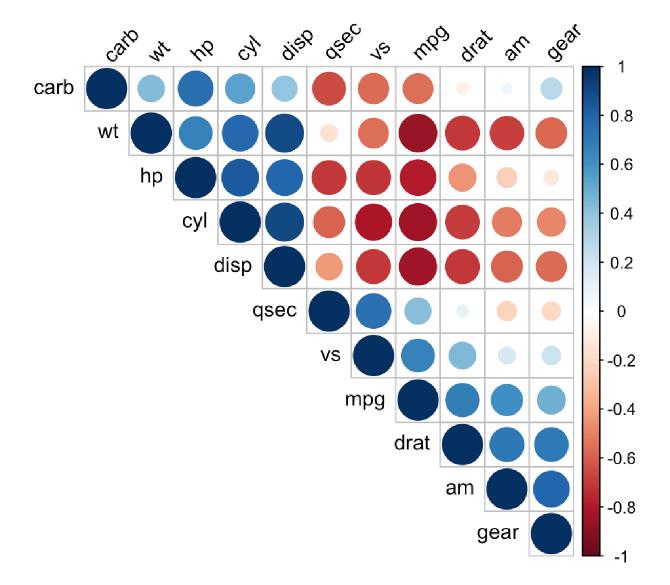


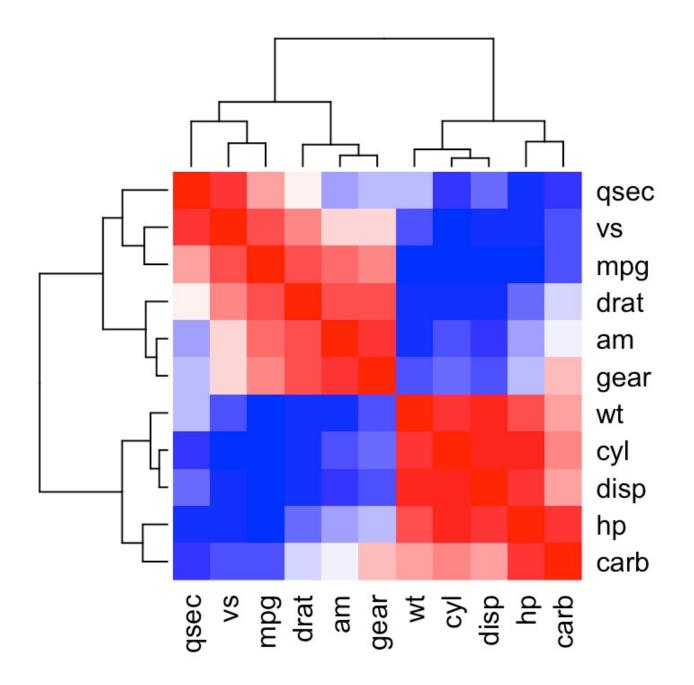


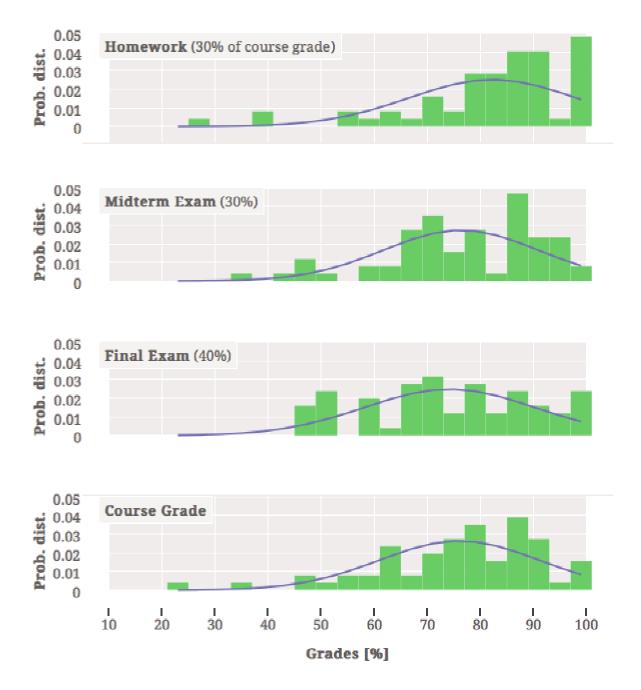
Proximity No Proximity

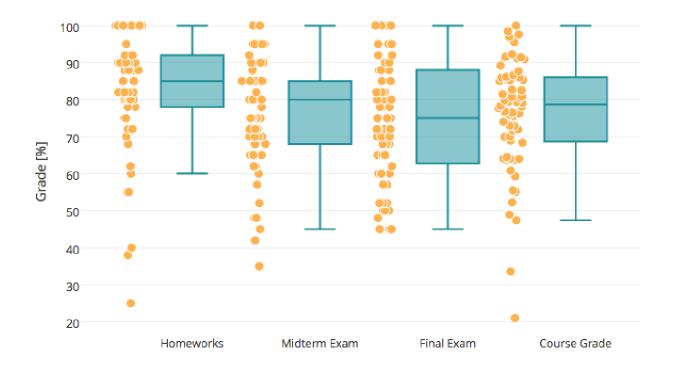


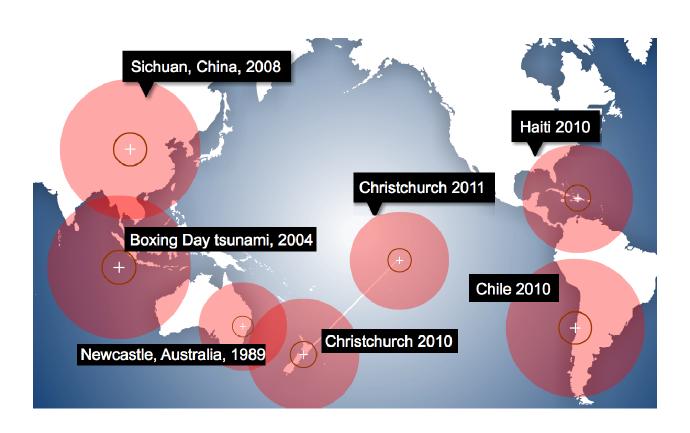


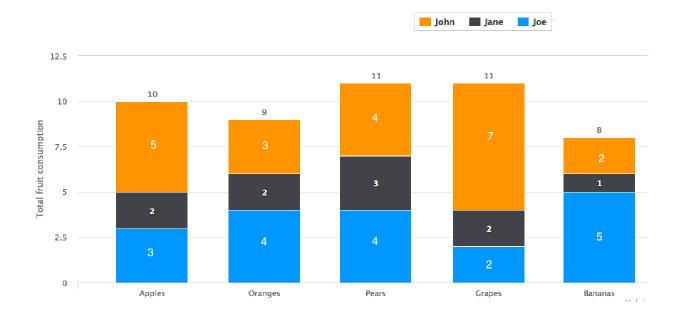




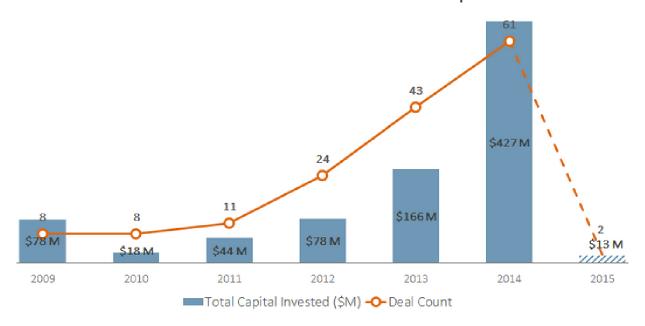


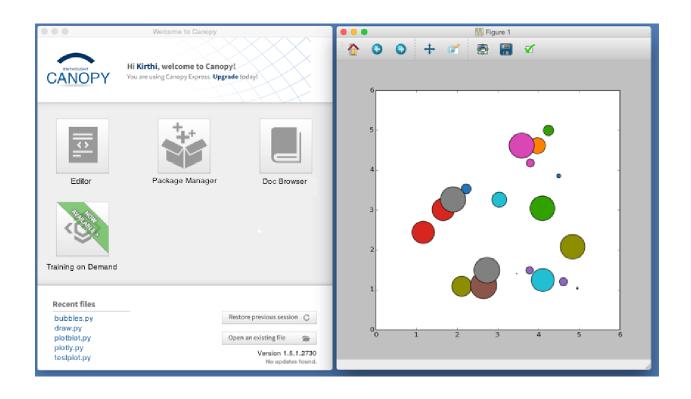


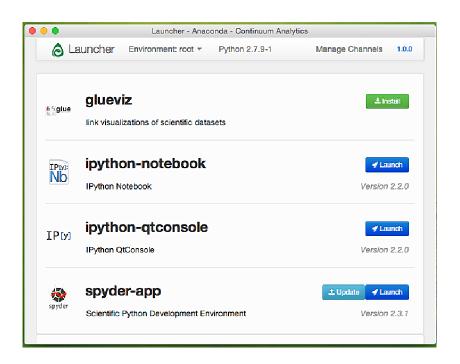


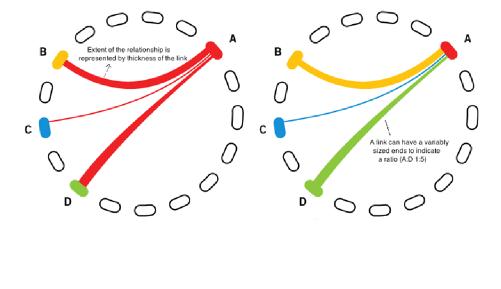


VC Investment in Wearables Startups



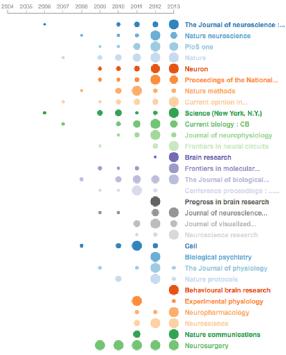












Chapter 3: Getting Started with the Python IDE

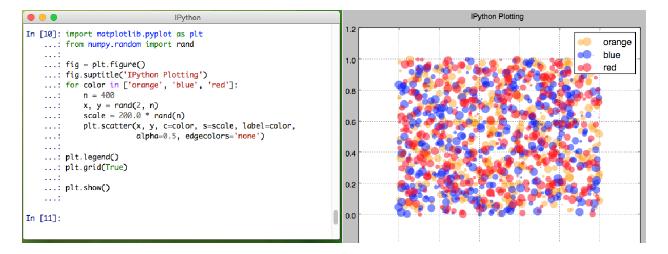
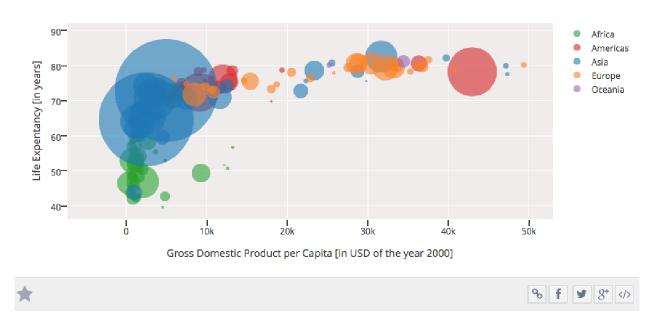
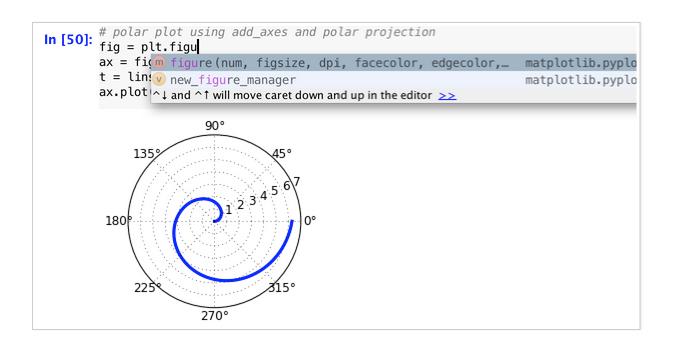
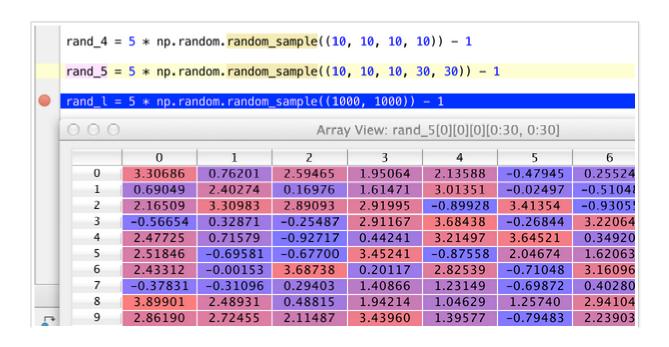


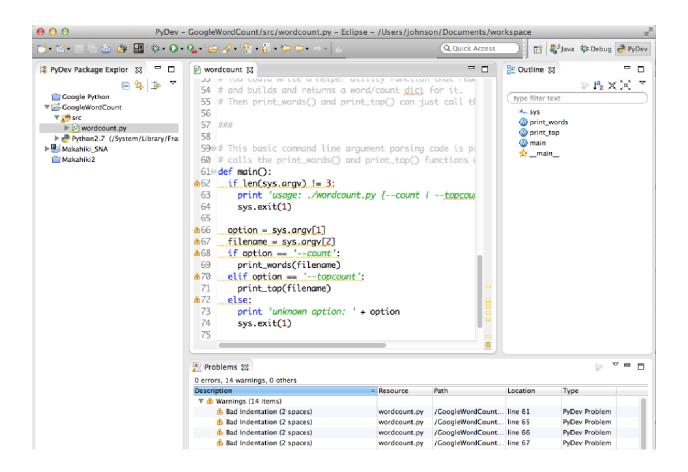


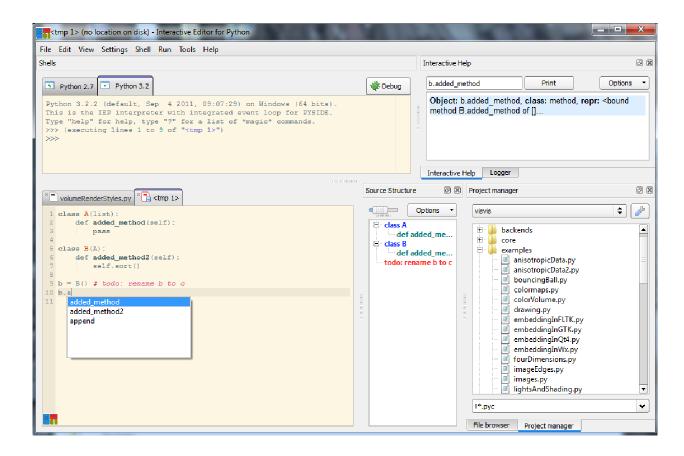
Fig 3.1a: Hans Rosling's Bubble Chart for the year 2007

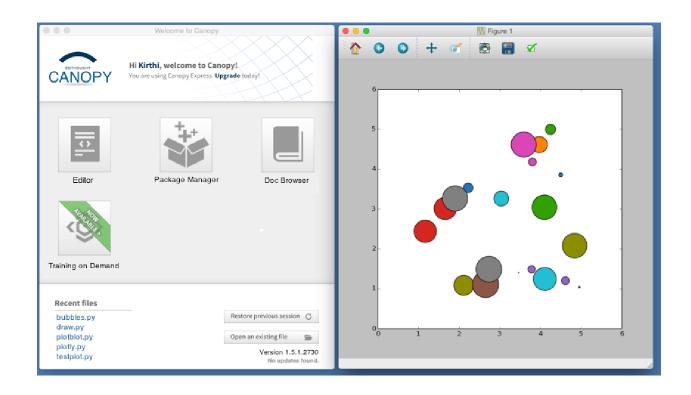


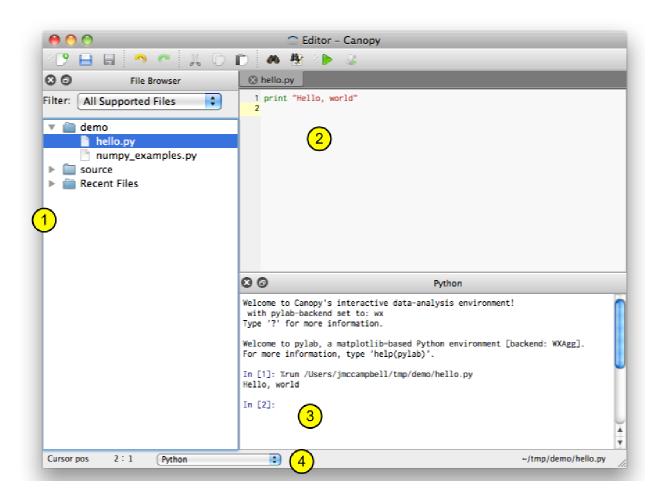












Documentation Browser - Canopy









http://help.canopy/toplevel-docs.html

+



DOCUMENTATION

User guide and online help



Canopy User Guide

Click here to view the Canopy User Guide

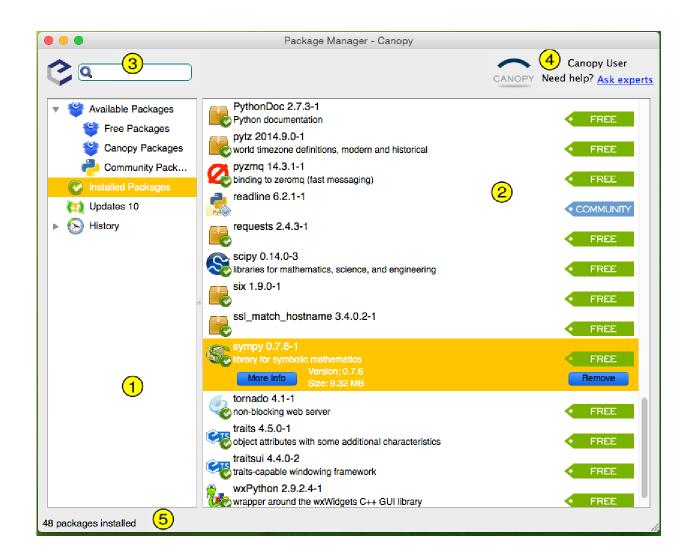
Online Help

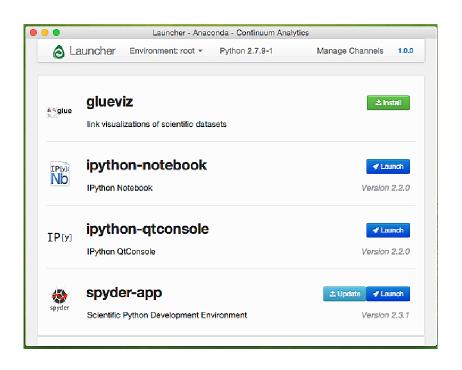
Click on the links below to view documentation on the Python language itself or any of these popular Python extensions.

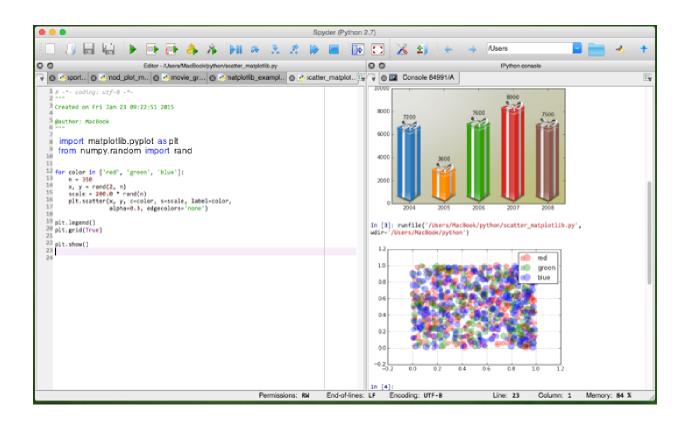
- · Python Tutorial
- · Python Documentation
- IPython
- NumPy
- SciPy
- Chaco
- Enaml
- Envisage
- Mayavi
- Pandas
- scikit-image
- scikit-learn
- Sympy

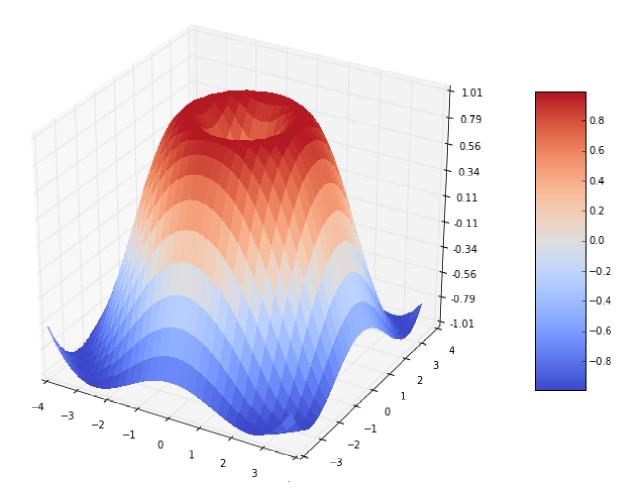
Tips

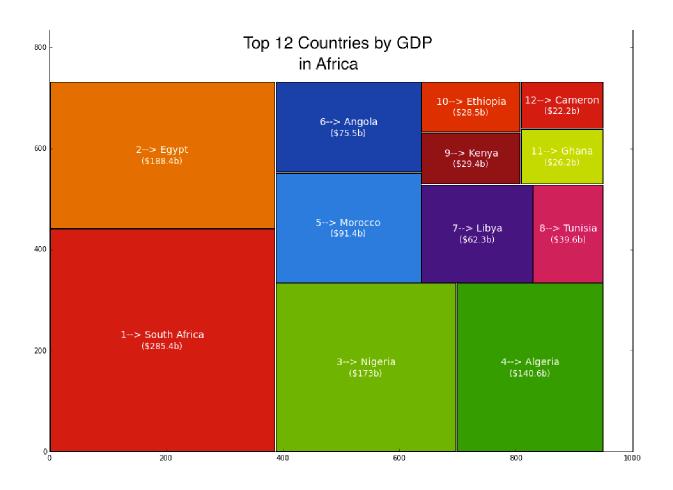
- The documentation browser lets you navigate to any page with code and run the code blocks within Canopy. The code can either be run at the Python prompt or copied to the clipboard by right-clicking on the code block and selecting the appropriate menu item.
- If the page is Sphinx generated and has a sidebar, it can be hidden/shown by clicking on the button added at the extreme left.



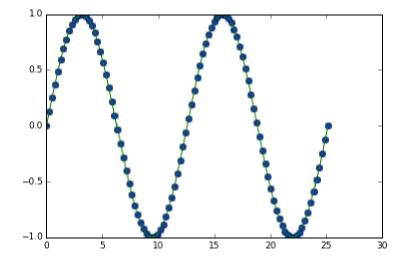






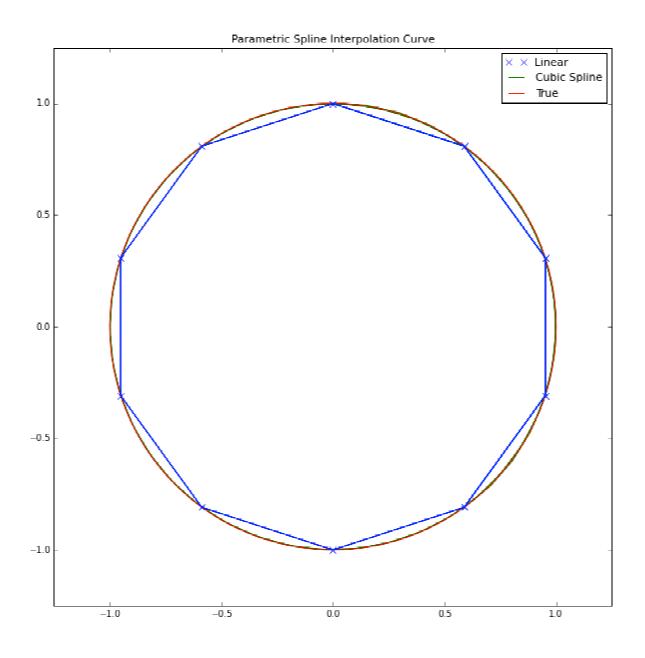


Chapter 4: Numerical Computing and Interactive Plotting

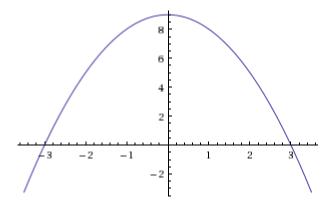


$$(3x^3 + 4x^2 + 5x + 5)(4x^3 + x^2 - 3x + 3)$$

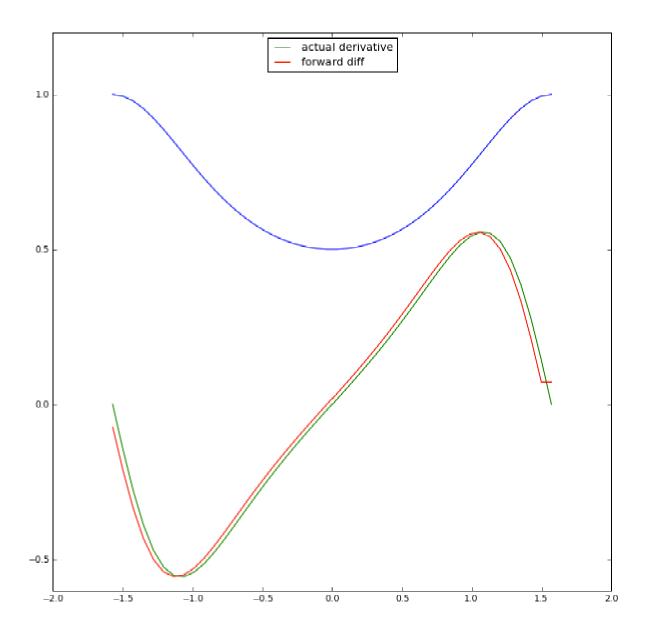
= $(12x^6 + 9x^5 + 15x^4 + 22x^3 + 2x^2 + 15)$

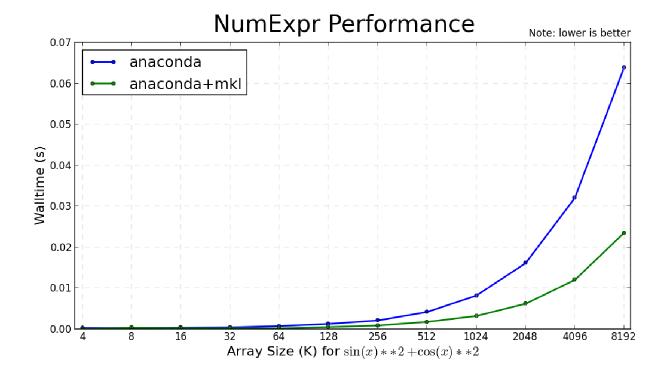


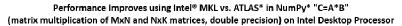
$$\int_{-3}^{3} 9 - x^2 dx = 9(3+3) - \frac{1}{3} (3^3 + 3^3) = 54 - 18 = 36$$

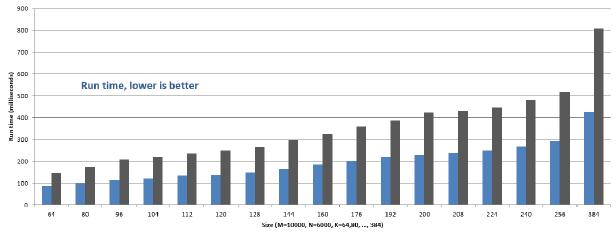


$$\frac{d}{dx}\left(\frac{1}{1+\cos^2(x)}\right) = \frac{\sin 2x}{(1+\cos^2 x)^2}$$







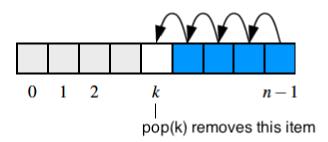


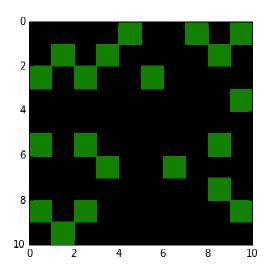
Configuration Info Versions: Intel® Math Kernel Library (Intel® MKL) 11.1 update 1, ATLAS* 3.10.1 with LAPACK 3.1.2, NumPy* 1.8.0, SciPy* 0.13.2, Python 3.3; Hardware: Intel® Core® i5 4670T Processor (6 MB LLC, 2.30Ghz), 4 GB of RAM; Operating System: Fedora 16 x86_64; Benchmark Source: Intel® Corporation.

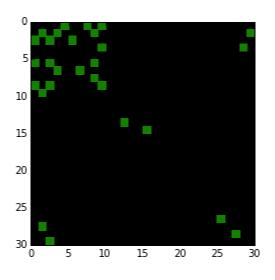
Performance tests and ratings are measured using specific computer systems and/or components and reflect the approximate performance of Intel products as measured by those tests. Any difference in system hardware or software design or configuration may affect actual performance. Buyers should consult other sources of information to evaluate the performance of systems or components they are considering purchasing. For more information on performance tests and on the performance of Intel products, refer to www.intel.com/performance/resources/benchmark limitations.htm.

* Other brands and names are the property of their respective owners

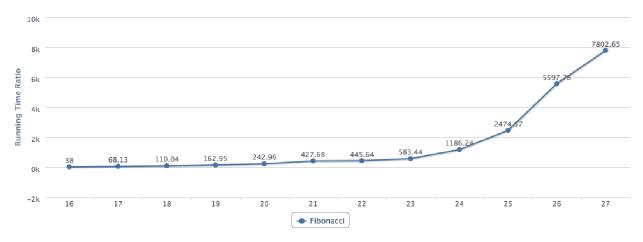
$$A = \begin{bmatrix} 4 & 5 & 6 \\ 7 & 8 & 9 \\ 1 & 2 & 3 \end{bmatrix}$$

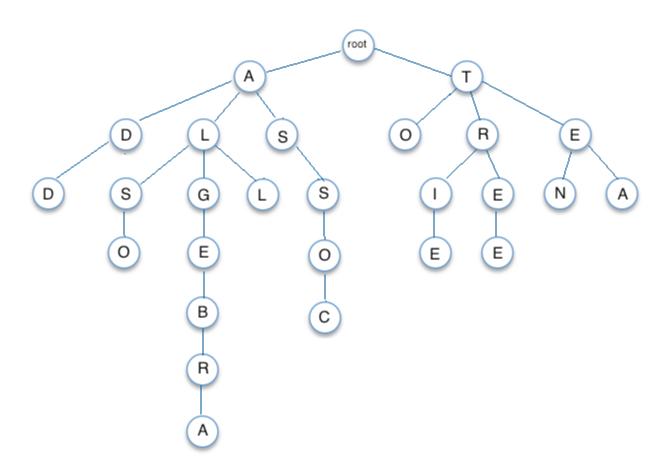


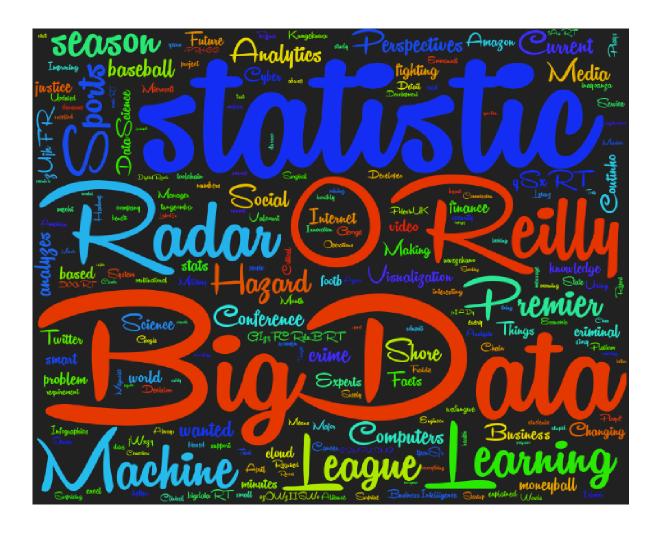




Fibonacci Running Times Comparison



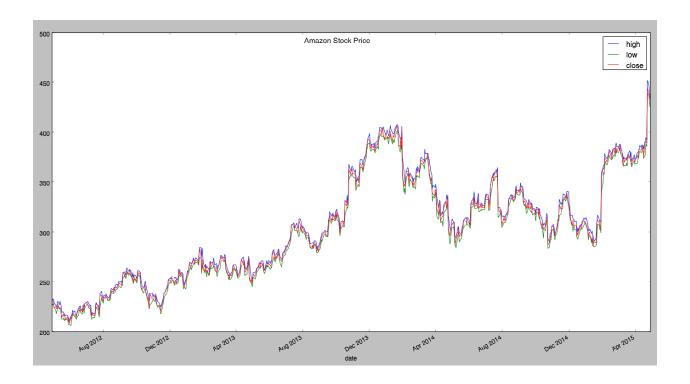


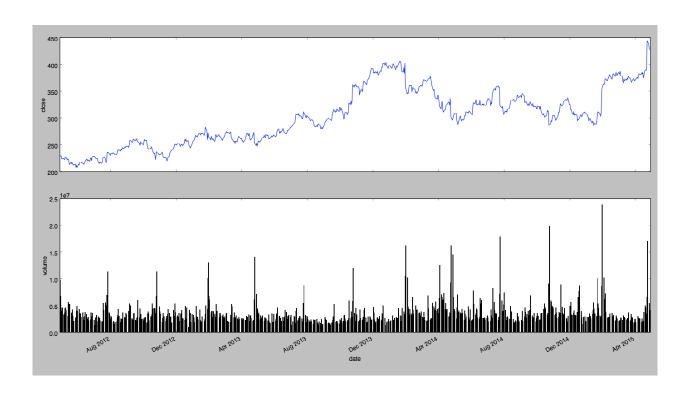


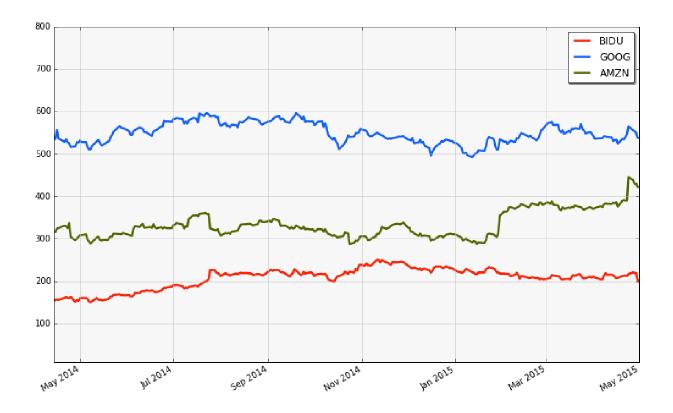


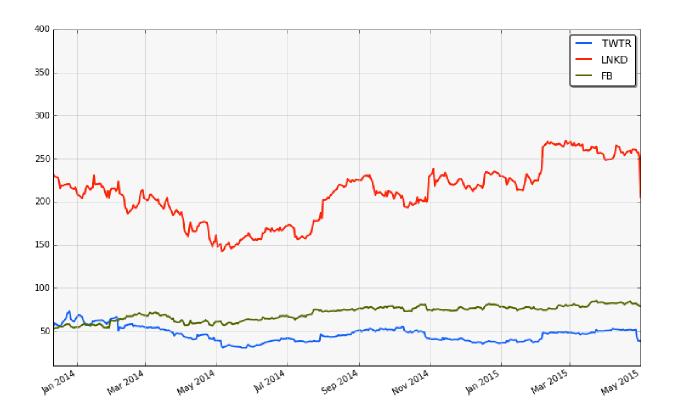
$$p(+) = e^{\frac{1}{w_p - w_n + 1}}$$

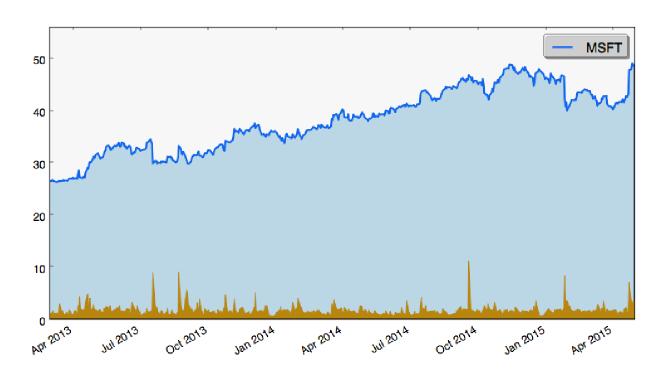
 $p(-) = 1 - p(+)$

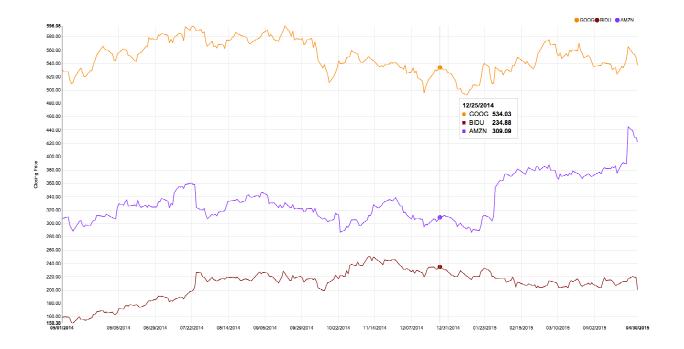




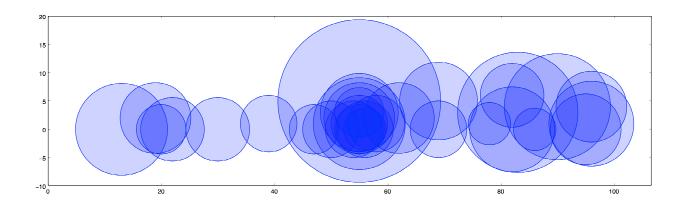




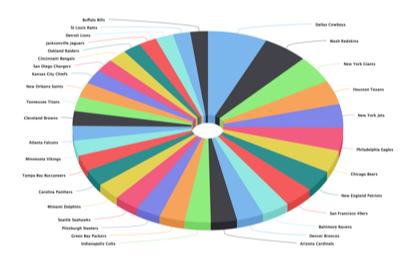




	Team.name	Team.value	Years.Completed	Num.Championships	Championships.yr.average
1	Dallas Cowboys	3210	55	5	23.18
2	Washington Redskins	2400	83	3	12.22
3	New York Giants	2100	90	4	13.88
4	Houston Texans	1850	13	0	5.00
5	New York Jets	1810	55	1	8.63
6	Philadelphia Eagles	1750	82	0	5.00
7	Chicago Bears	1700	96	1	7.08
8	New England Patriots	1635	55	4	15.90
9	San Francisco 49ers	1600	69	5	19.49
10	Baltimore Ravens	1500	19	2	26.05

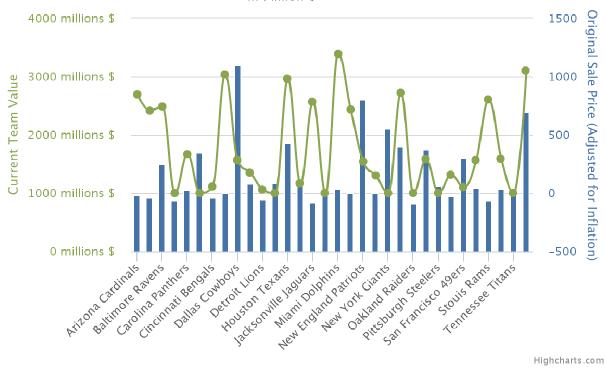






NFL Team Value





Highcharts.com

Chapter 5: Financial and Statistical Models

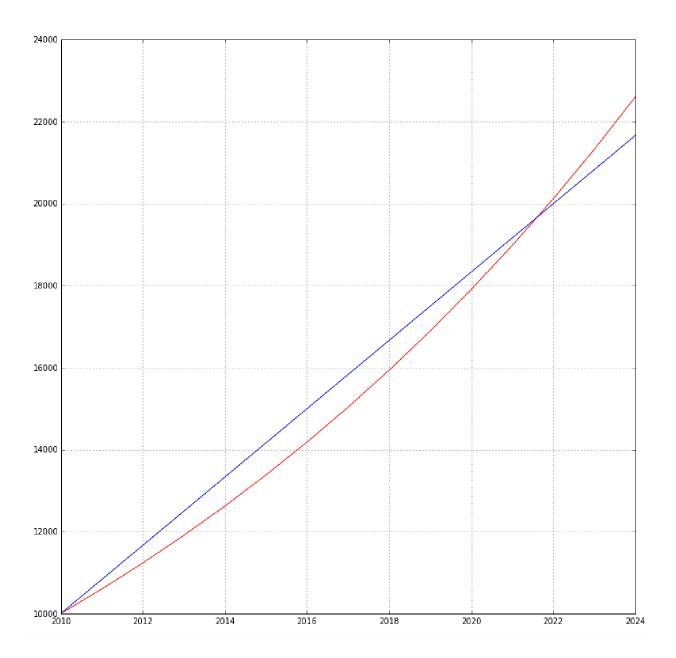
$$\frac{P_{t+1}}{P_t} = 1 + R_{t+1}$$

$$1 + R_{t}(k) = \frac{P_{t}}{P_{t-k}}$$

$$= \left(\frac{P_{t}}{P_{t-1}}\right) \left(\frac{P_{t-1}}{P_{t-2}}\right) \dots \left(\frac{P_{t-k+1}}{P_{t-k}}\right)$$

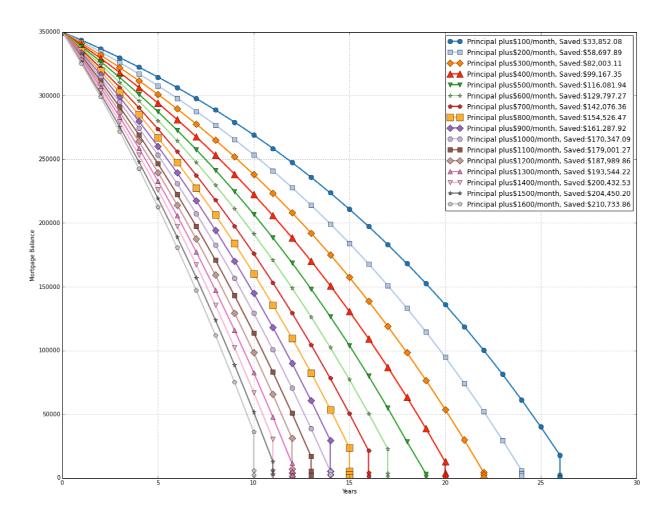
$$= (1 + R_{t})(1 + R_{t-1}) \dots (1 + R_{t-k+1})$$

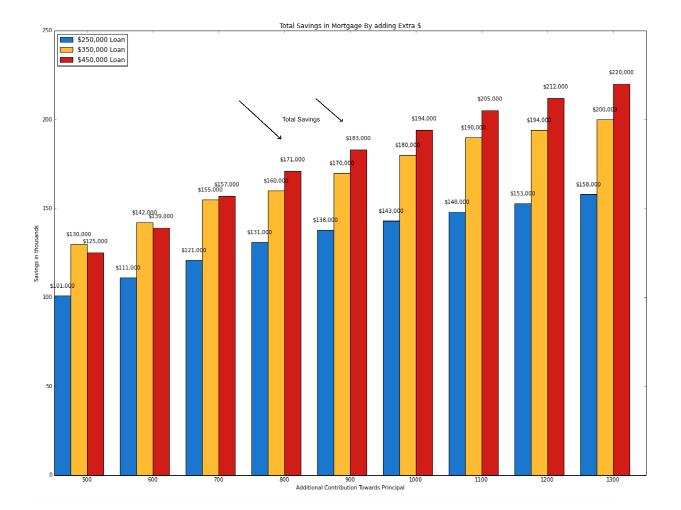
$$1 + R_{t}(k) = \frac{(1+R_{t})}{(1+F_{t})} \frac{(1+R_{t-1})}{(1+F_{t-1})} \dots \frac{(1+R_{t-k+1})}{(1+F_{t-k+1})}$$

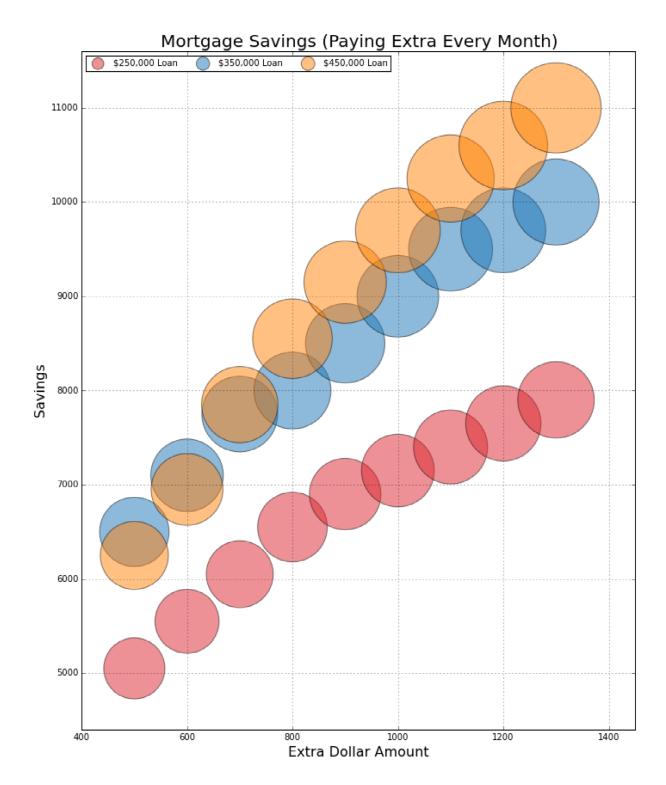


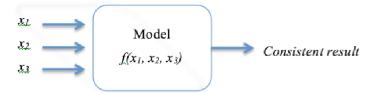
$$1 + R_t = \frac{P_t + D_t}{P_{t-1}}$$

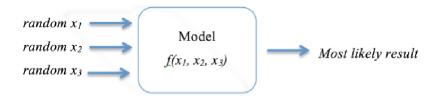
$$350,000 \times \left(1 + \frac{5}{100} \times 30\right) = 350,000 \times \frac{5}{2} = 875,000$$



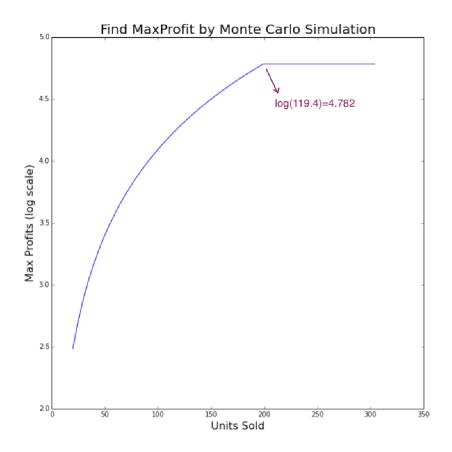








$$P = \begin{cases} 0.6s & \text{if } d \ge s \\ 0.6d - 0.4(s - d) & \text{if } s > d \end{cases}$$



$$Profit = \int_{s}^{140} \frac{0.6s}{60} dx + \int_{80}^{s} \frac{0.6x - 0.4(s - x)}{60} dx$$

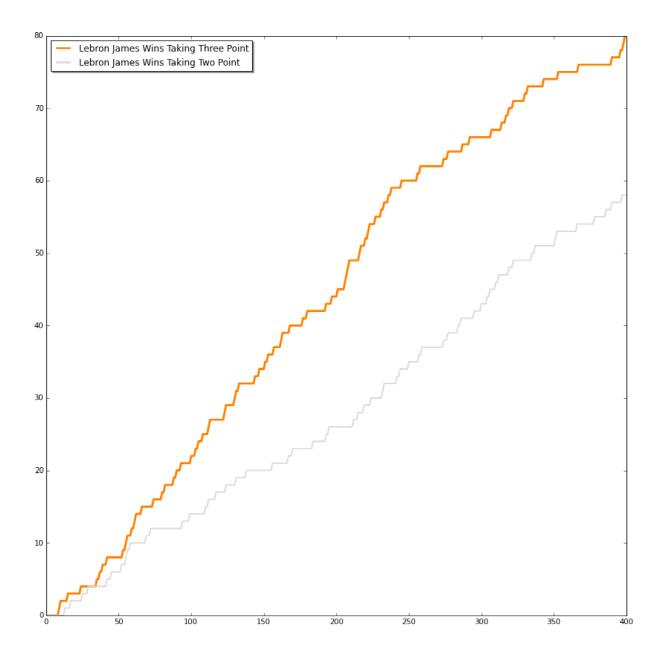
$$= \int_{s}^{140} \frac{0.6s}{60} dx + \int_{80}^{s} \frac{(x - 0.4s)}{60} dx$$

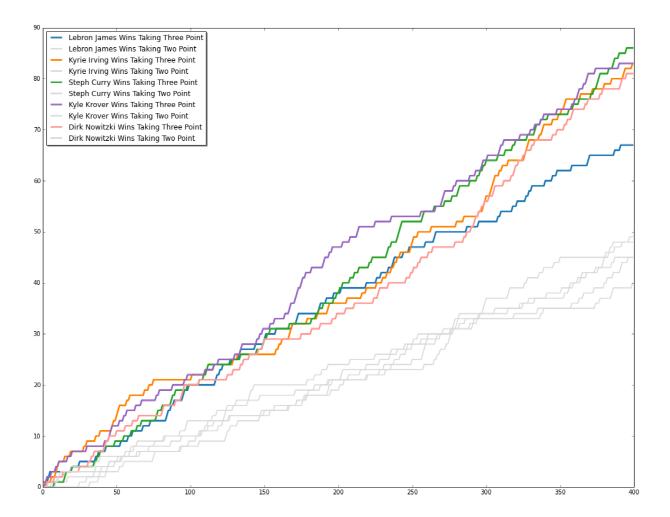
$$= \frac{s}{100} (140 - s) + \frac{s^{2}}{600} + \frac{8}{15} s - \frac{160}{3}$$

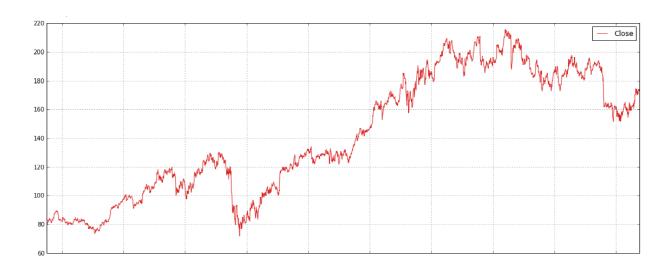
$$= \frac{7}{5} s - \frac{s^{2}}{100} + \frac{s^{2}}{600} + \frac{8}{15} s - \frac{160}{3}$$

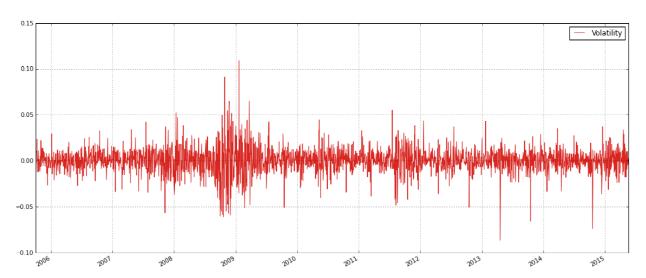
$$= -\frac{5}{600} s^{2} + \frac{29}{15} s - \frac{160}{3}$$

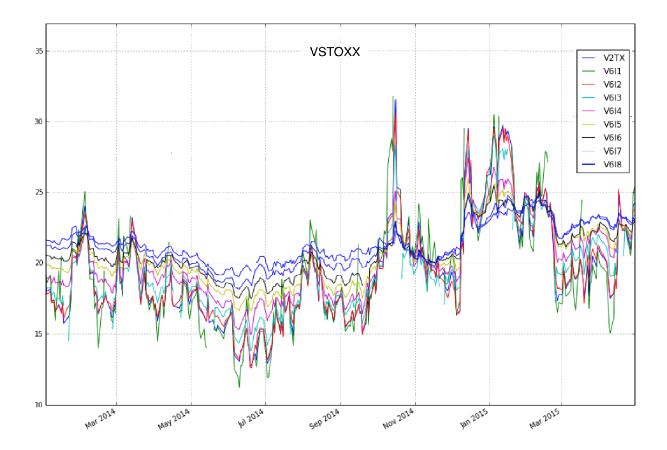
$$-\frac{s}{60} + \frac{29}{15} = 0 \implies s = \frac{29 \times 60}{15} = 116$$

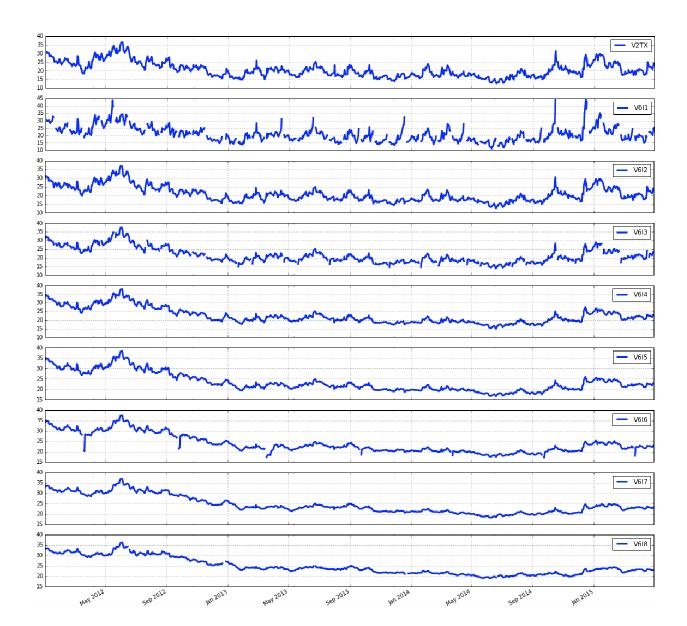












$$C_{o} = S_{o}N(d_{1}) - Xe^{-rT}N(d_{2})$$

$$d_{1} = \frac{ln\left(\frac{S_{o}}{X}\right) + \left(r + \frac{\sigma^{2}}{T}\right)T}{\sigma\sqrt{T}}$$

$$d_{2} = \frac{ln\left(\frac{S_{o}}{X}\right) + \left(r - \frac{\sigma^{2}}{T}\right)T}{\sigma\sqrt{T}}$$

N(d) is standard Normal Distribution

where

 $S_o = the stock \ price$ $T = time to \ expiration$

 $X = exercise\ price\ or\ strike\ price\ r = risk\ free\ interest\ rate$

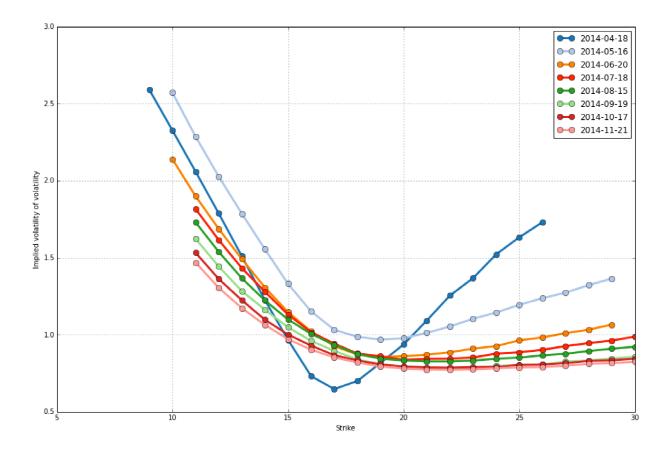
 σ = standard deviation of log returns (volatility)

$$Vega = \frac{\partial C_o}{\partial \sigma} = S_o N'(d_1) \sqrt{T}$$

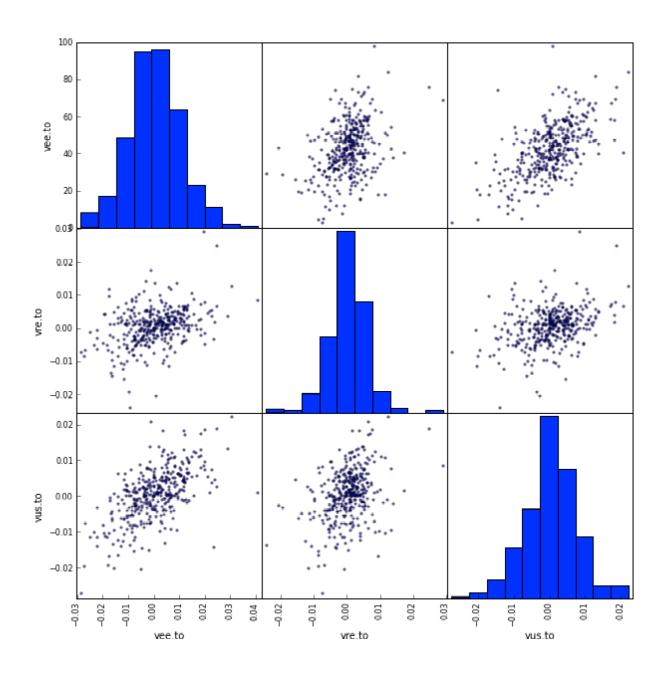
$$\frac{\partial C(\sigma_n)}{\partial \sigma_n} = -\left(\frac{C_{n+1} - C^*}{\sigma_{n+1} - \sigma_n}\right)$$

$$\Rightarrow \sigma_{n+1} - \sigma_n = -\left(\frac{C_{n+1} - C^*}{\frac{\partial C(\sigma_n)}{\partial \sigma_n}}\right)$$

$$\Rightarrow \sigma_{n+1} = \sigma_n - \left(\frac{C_{n+1} - C^*}{vega}\right)$$

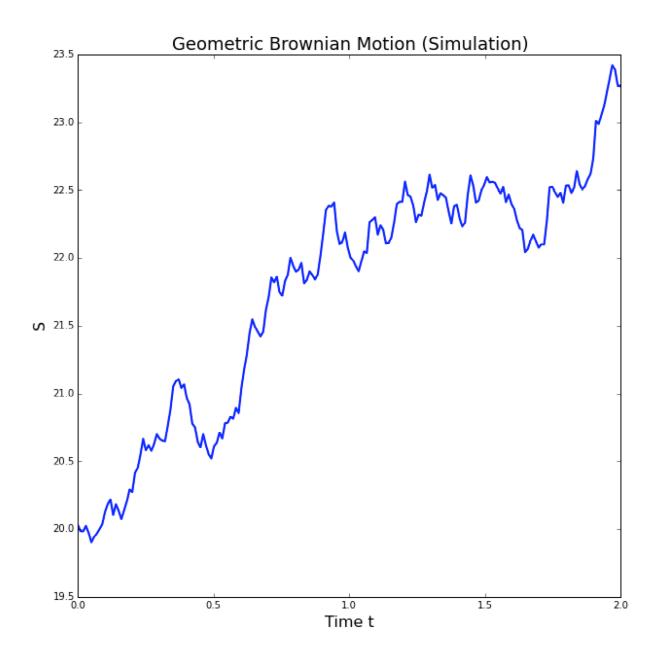


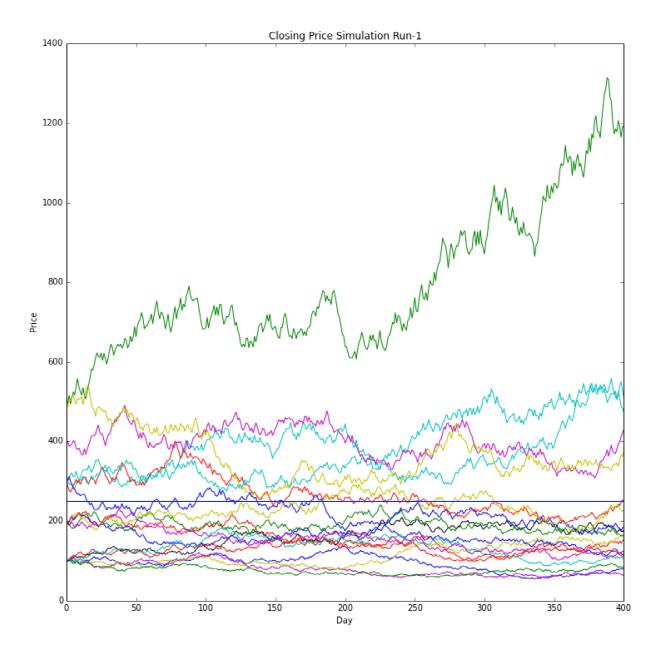




$$dS_{t} = uS_{t}dt + \sigma S_{t}dW_{t}$$
$$\frac{dS_{t}}{S_{t}} = udt + \sigma dW_{t}$$

$$S_{t} = S_{o} exp^{\left(\left(u - \frac{\sigma^{2}}{2}\right)t + \sigma W_{t}\right)}$$



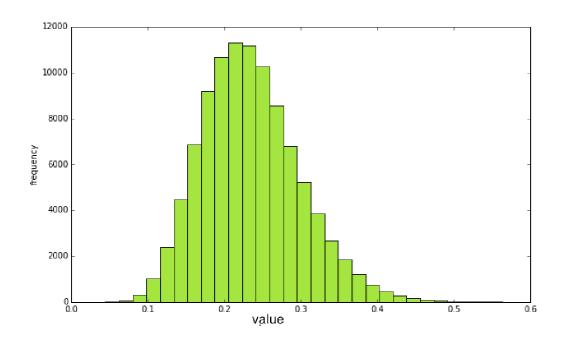


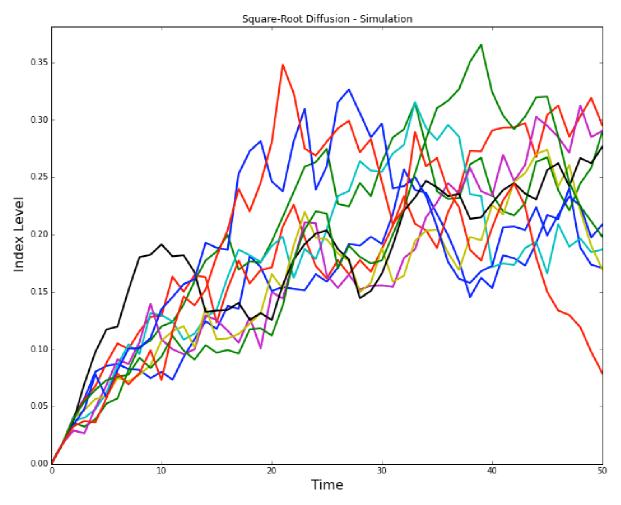
$$dx_{t} = \underbrace{k(\theta - x_{t})dt}_{\text{Drift part}} + \sigma \sqrt{x_{t}} dW_{t}$$
Diffusion

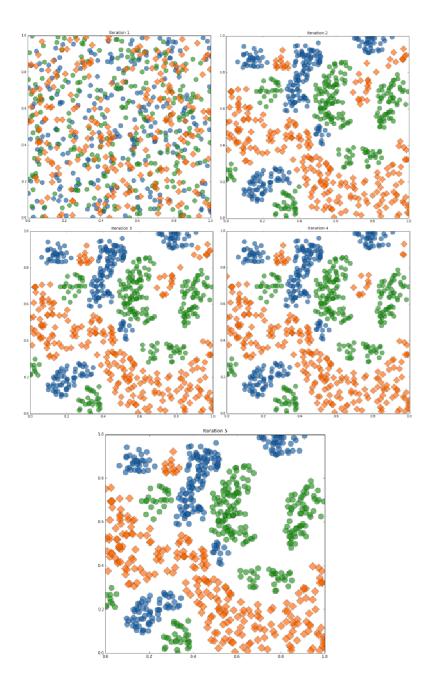
$$x_t^{new} = x_s^{new} + k(\theta - x_s^+)\Delta t + \sigma \sqrt{x_s^+ \Delta t} w_t$$

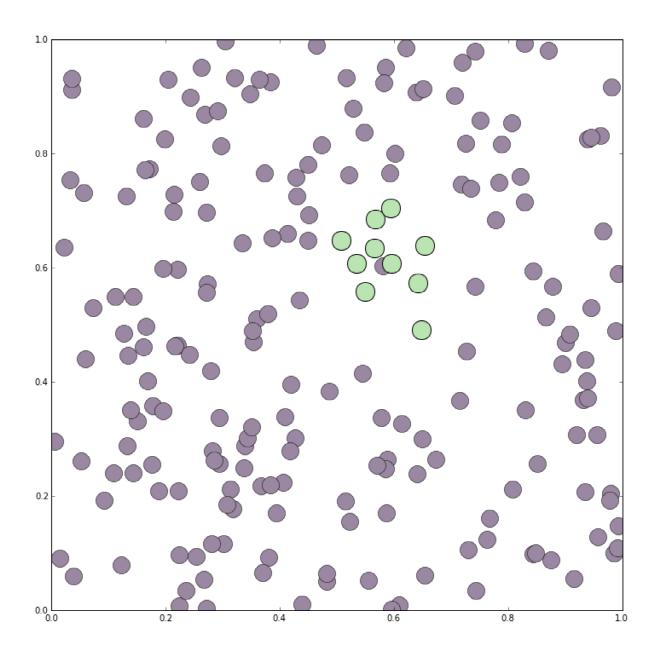
$$x_t = x_t^+$$

$$where x_s^+ = \max(x_s, 0) \text{ and } x_t^+ = \max(x_t, 0)$$









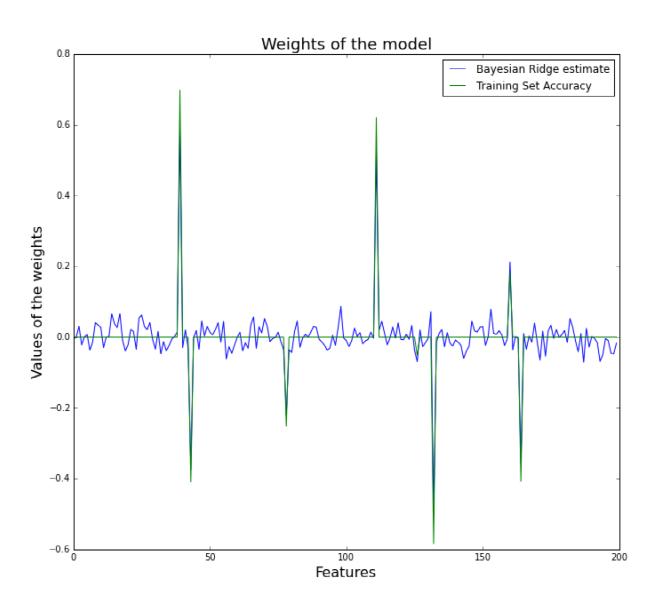
Predicted value ŷ is given by

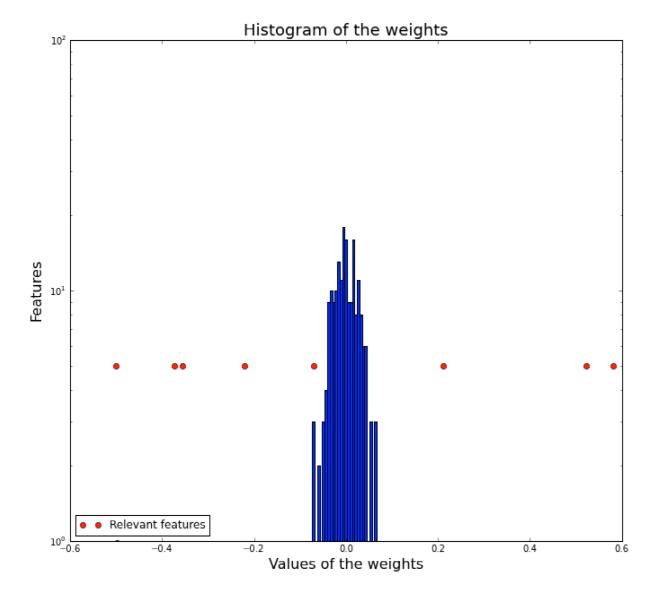
$$\hat{y}(w,x) = w_o + w_1 x_1 + w_2 x_2 + \dots + w_n x_n = w_o + \sum_{i=0}^n w_i x_i$$

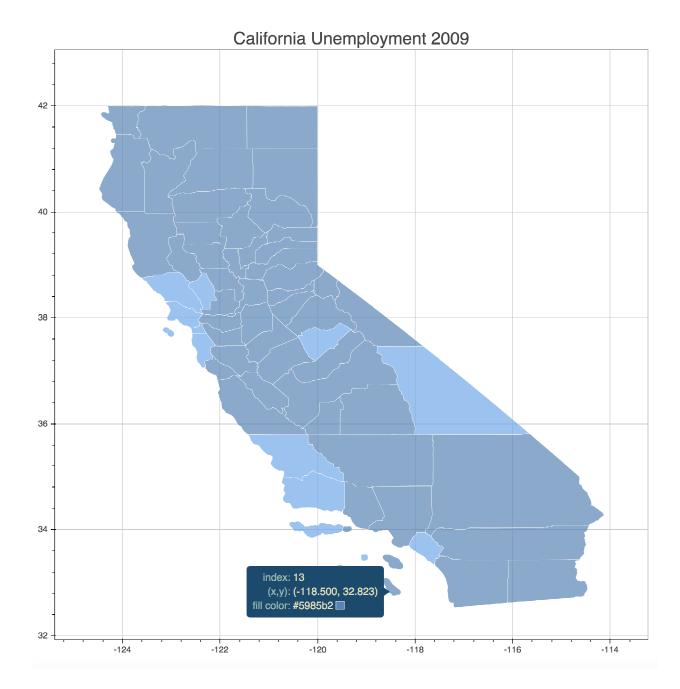
$$f(x) = w^{T} \phi(x)$$

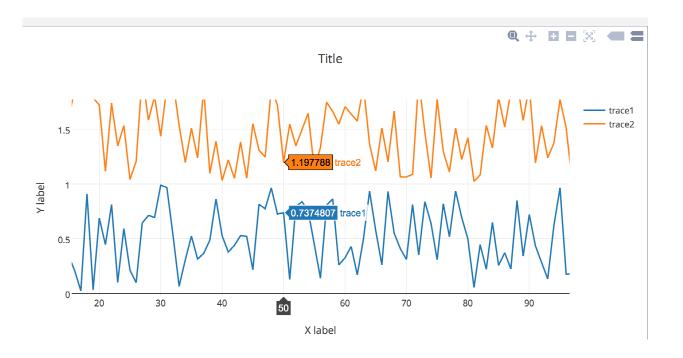
$$w \sim N(0, \sigma_{0}^{2} I)$$

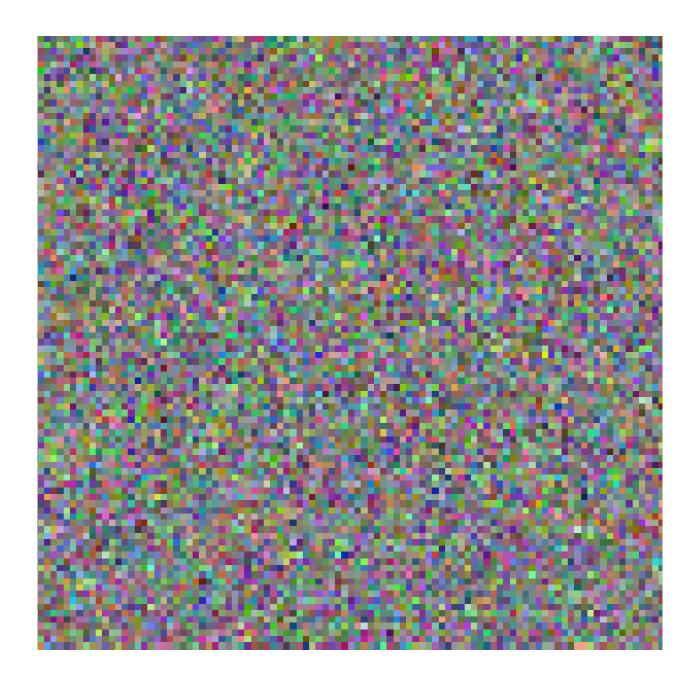
$$Y_{i} \sim N(w^{T} \phi(x_{i}), \sigma^{2})$$

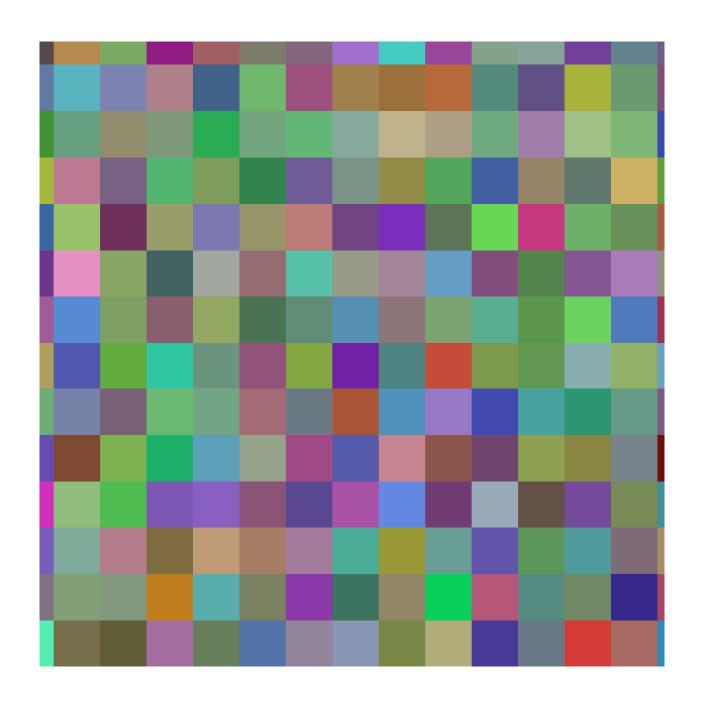




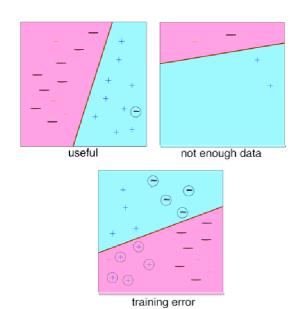




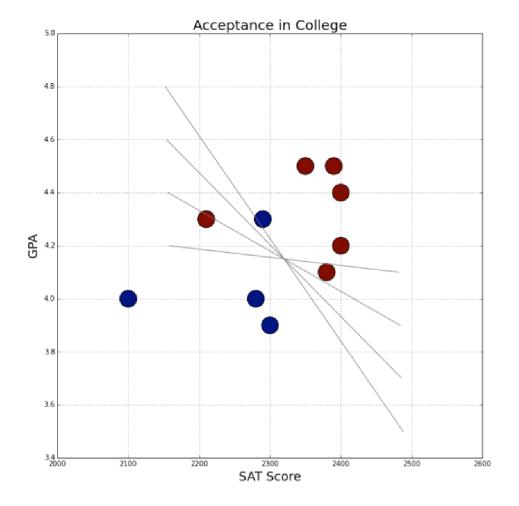




Chapter 6: Statistical and Machine Learning



	SAT.Score	GPA	Accepted
1	2400	4.4	Y
2	2350	4.5	Y
3	2400	4.2	Y
4	2290	4.3	N
5	2100	4.0	N
6	2380	4.1	Y
7	2300	3.9	N
8	2280	4.0	N
9	2210	4.3	Y
10	2390	4.5	Y



$$y = \beta_0 + \beta_1 x$$

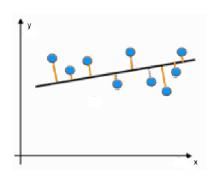
where y is the response

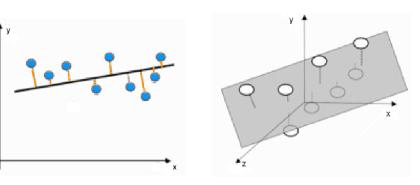
x =feature

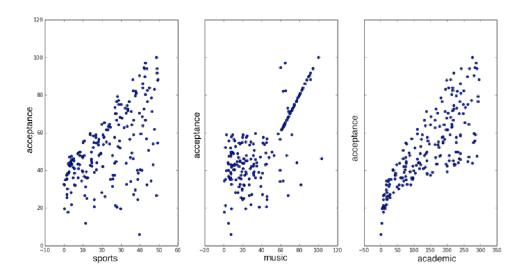
 $\beta_0 = \text{intercept}$

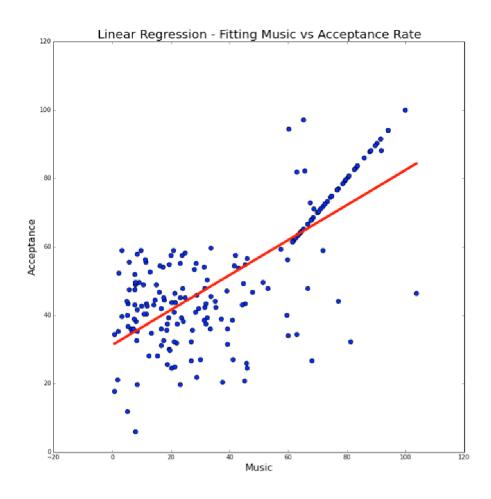
 β_1 = is the coefficient for x

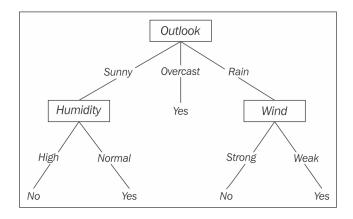
	X	academic	sports	music	acceptance
1	1	230.1	37.8	62.9090909	81.851852
2	2	44.5	39.3	41.0000000	38.518519
3	3	17.2	45.9	63.0000000	34.44444
4	4	151.5	41.3	68.5185185	68.518519
5	5	180.8	10.8	53.0909091	47.777778
6	6	8.7	48.9	68.1818182	26.666667
7	7	57.5	32.8	21.3636364	43.703704
8	8	120.2	19.6	10.5454545	48.888889
9	9	8.6	2.1	0.9090909	17.777778
10	10	199.8	2.6	19.2727273	39.259259
11	11	66.1	5.8	22.0000000	31.851852
12	12	214.7	24.0	64.444444	64.44444
13	13	23.8	35.1	59.9090909	34.074074
14	14	97.5	7.6	6.5454545	35.925926
15	15	204.1	32.9	70.3703704	70.370370
16	16	195.4	47.7	82.9629630	82.962963
17	17	67.8	36.6	103.6363636	46.296296
18	18	281.4	39.6	90.3703704	90.370370
19	19	69.2	20.5	16.6363636	41.851852
20	20	147.3	23.9	17.3636364	54.074074

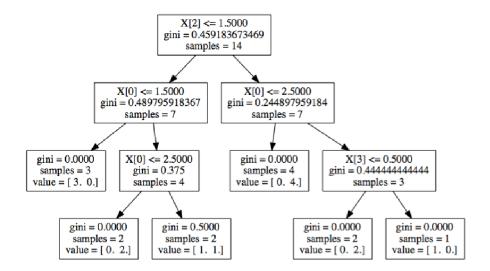


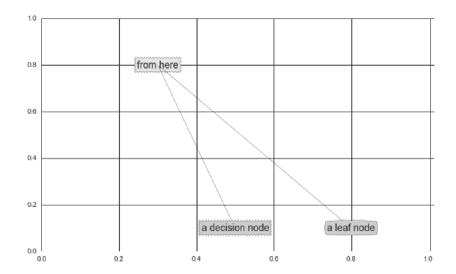


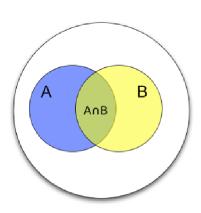












$$P(A|B) = \frac{|A \cap B|}{|B|} = \frac{\frac{|A \cap B|}{|U|}}{\frac{|B|}{|U|}}$$

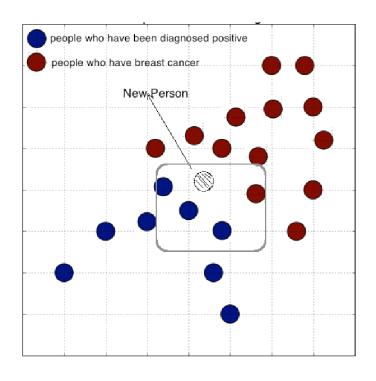
$$P(A|B) = \frac{P(A \cap B)}{P(B)}$$

$$P(B|A) = \frac{|A \cap B|}{|A|} = \frac{\frac{|A \cap B|}{|U|}}{\frac{|A|}{|U|}}$$

$$P(B|A) = \frac{P(A \cap B)}{P(A)}$$

$$\Rightarrow P(A \cap B) = P(B|A)P(A) = P(A|B)P(B)$$

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}$$



$$prior\ probability\ of\ red = \frac{13}{21}$$

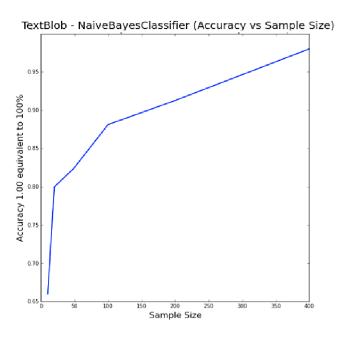
$$prior\ probability\ of\ blue = \frac{8}{21}$$

$$likelihood\ of\ x\ given\ red = \frac{Number\ of\ red\ in\ the\ vicinity}{Total\ number\ of\ reds} = \frac{1}{13}$$

$$likelihood\ of\ x\ given\ blue = \frac{Number\ of\ blue\ in\ the\ vicinity}{Total\ number\ of\ blue} = \frac{3}{8}$$

$$posterior\ probability\ of\ x\ being\ red = \frac{1}{13} \times \frac{13}{21} = \frac{1}{21}$$

$$posterior\ probability\ of\ x\ being\ blue = \frac{3}{8} \times \frac{8}{21} = \frac{3}{21} = \frac{1}{7}$$



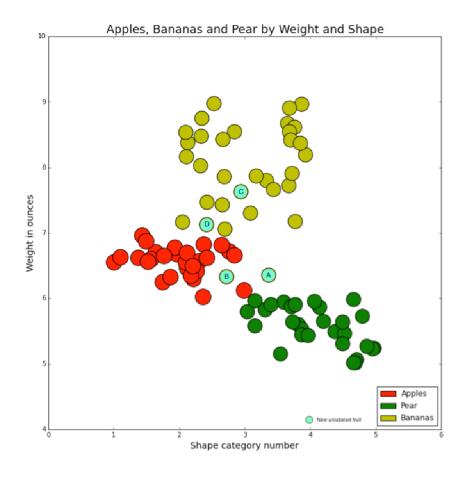


Euclidean Distance
$$\sqrt{\sum_{i=1}^{k} (x_i - y_i)^2}$$

Manhattan Distance $\sum_{i=1}^{k} |x_i - y_i|$

Minkowski Distance $\left(\sum_{i=1}^{k} (|x_i - y_i|)^q\right)^{\frac{1}{q}}$

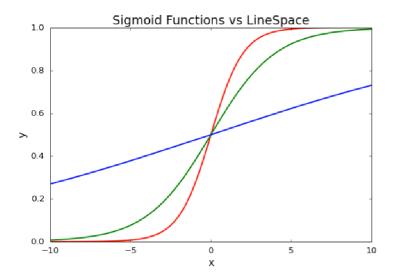
	Shape ÷	Weight ‡	Fruit ‡
1	1.747993	6.244728	Apple
2	2.160436	6.548997	Apple
3	2.308360	6.568994	Apple
4	2.989498	6.116004	Apple
5	2.217408	6.298844	Apple
6	3.550124	5.148646	Banana
7	4.795393	5.729825	Banana
8	4.380994	5.491813	Banana
9	4.975395	5.243866	Banana
10	4.714245	5.061763	Banana
11	1.644232	6.710433	Apple
12	2.101244	8.531404	Pear
13	2.847359	8.541824	Pear
14	3.759746	8.609348	Pear
15	3.436196	7.667397	Pear
16	2.420651	7.471596	Pear
17	1.960733	6.678455	Apple
18	1.861635	6.320602	Apple



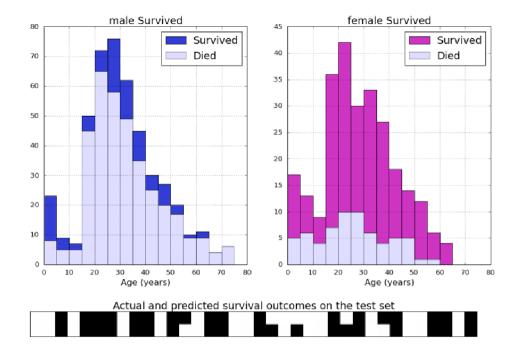
$$\log \frac{P(x)}{1 - P(x)} = \sum_{j=0}^{n} b_j x_j = z$$

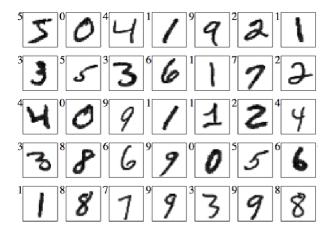
$$\frac{P(x)}{1 - P(x)} = e^z$$

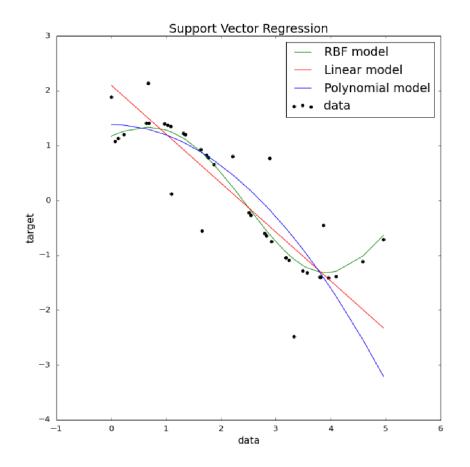
$$\Rightarrow P(x) = \frac{e^z}{1 + e^z} = \frac{1}{1 + e^{-z}}$$

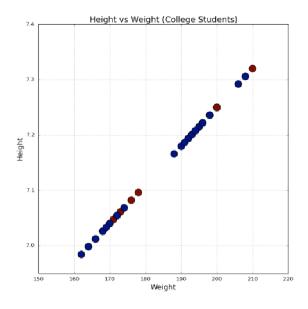


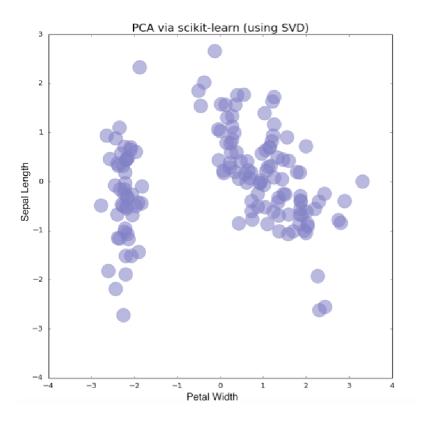
$$P(happy) = \frac{e^{z}}{1 + e^{z}}$$
$$P(sad) = 1 - P(happy) = \frac{1}{1 + e^{z}}$$

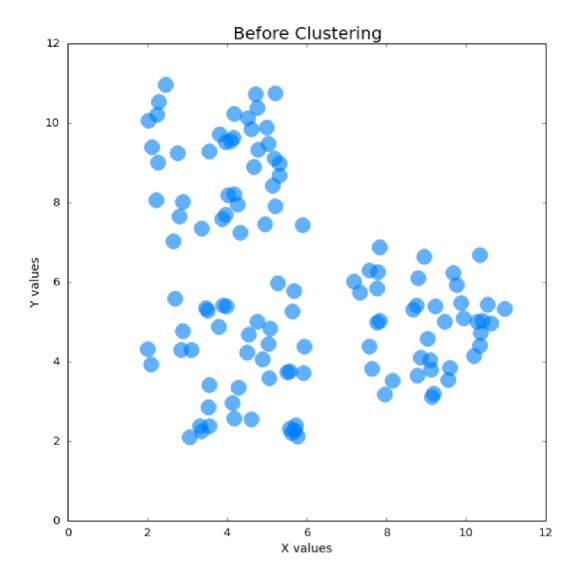


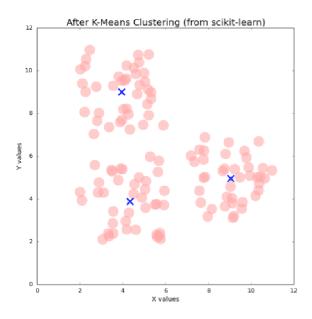


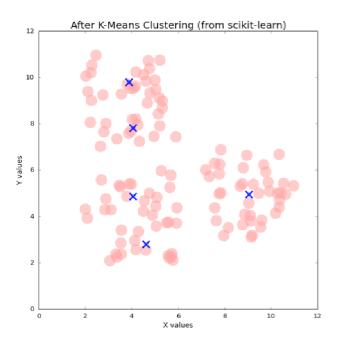




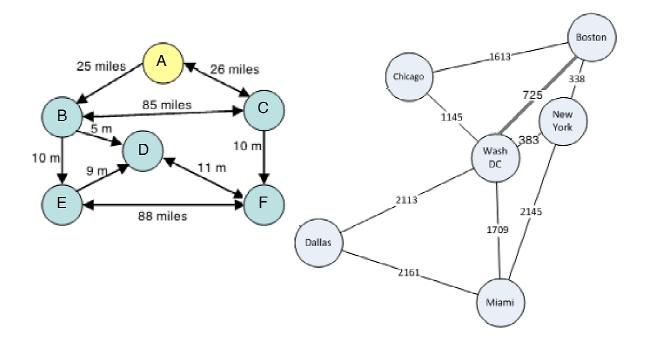


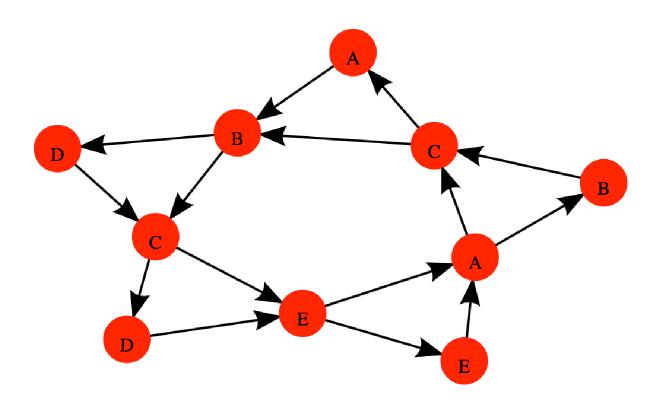


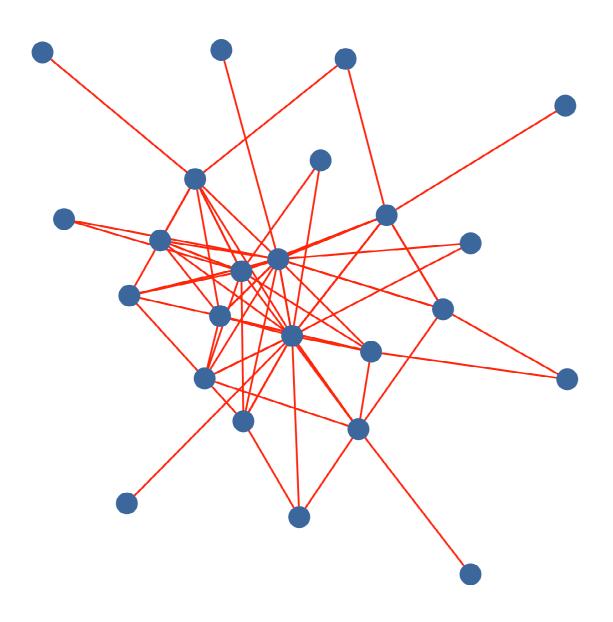


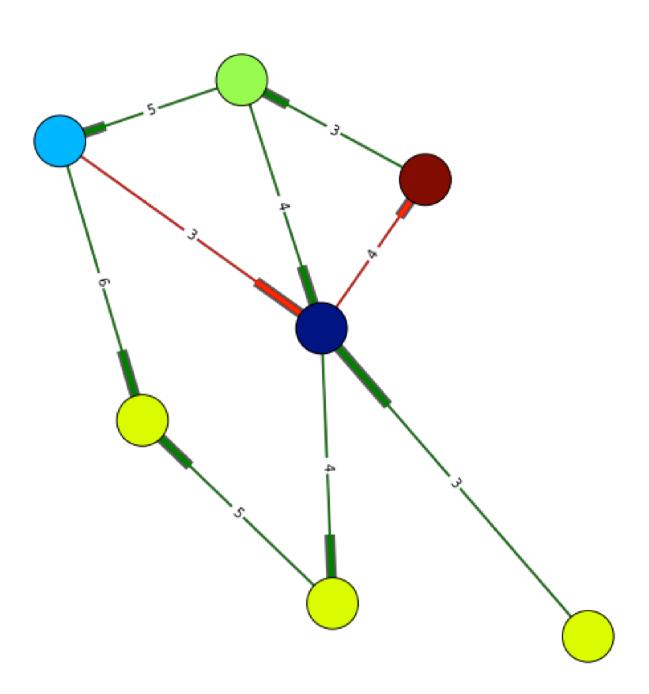


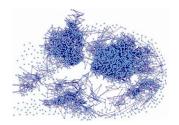
Chapter 7: Bioinformatics, Genetics, and Network Models

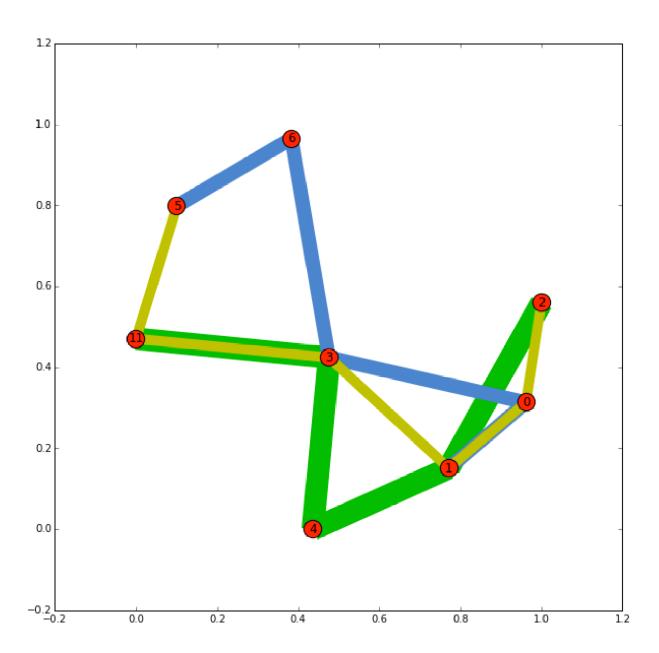


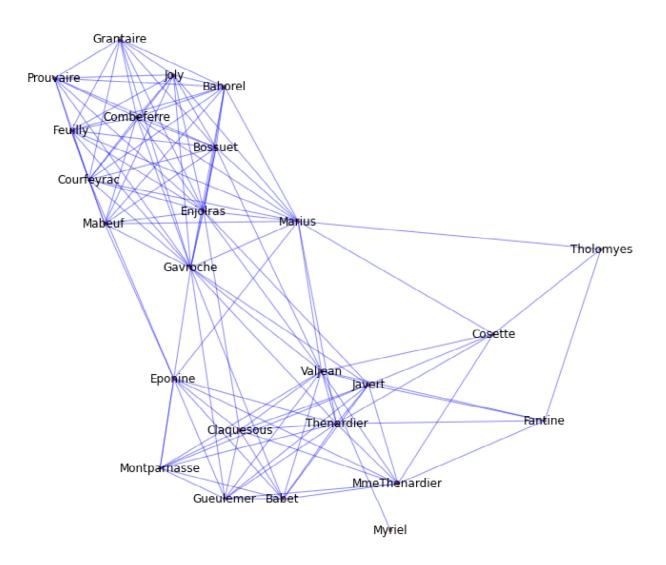


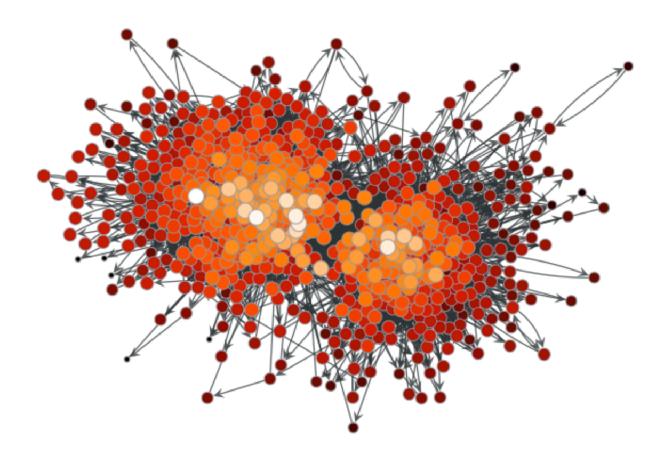


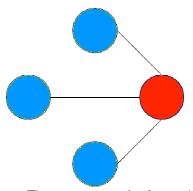




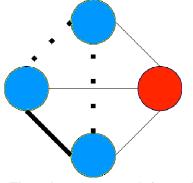




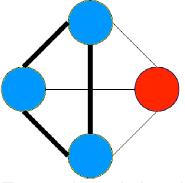




There are no pairs formed among neighbours



There is only one pair formed among neighbours



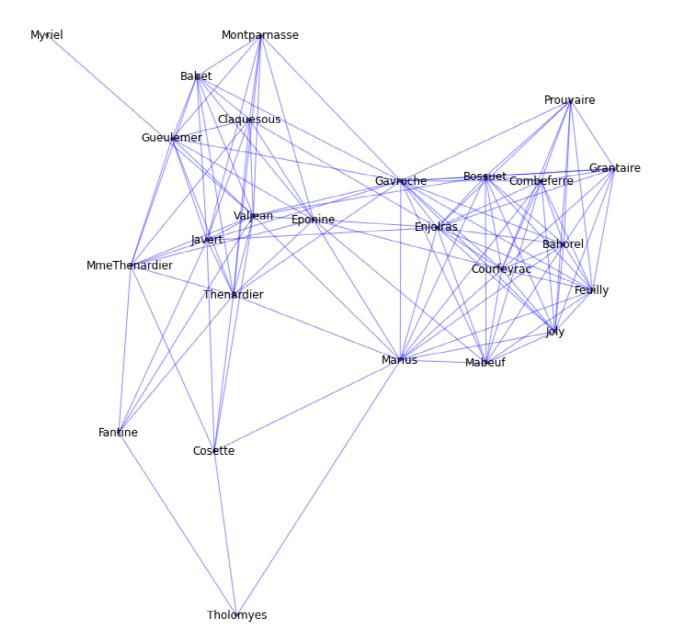
There are three pairs formed among neighbours

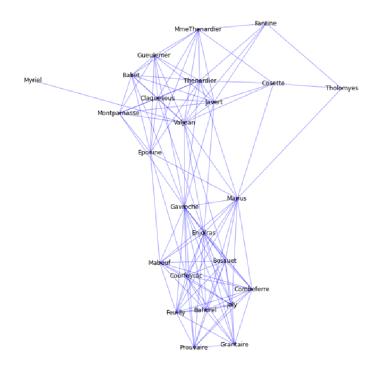
$$C_{i} = \frac{2 \times (links to the node i)}{n_{b}(n_{b} - 1)}$$

where n_b is the number of neighbors to node i

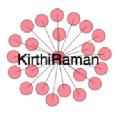
$$C_{i} = \frac{2 \times (links to the node i)}{n_{b}(n_{b} - 1)}$$

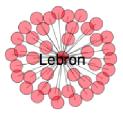
where n_b is the number of neighbors to node i

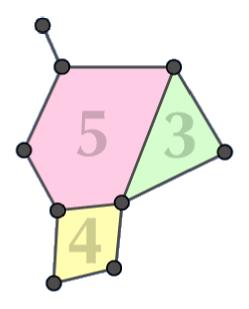


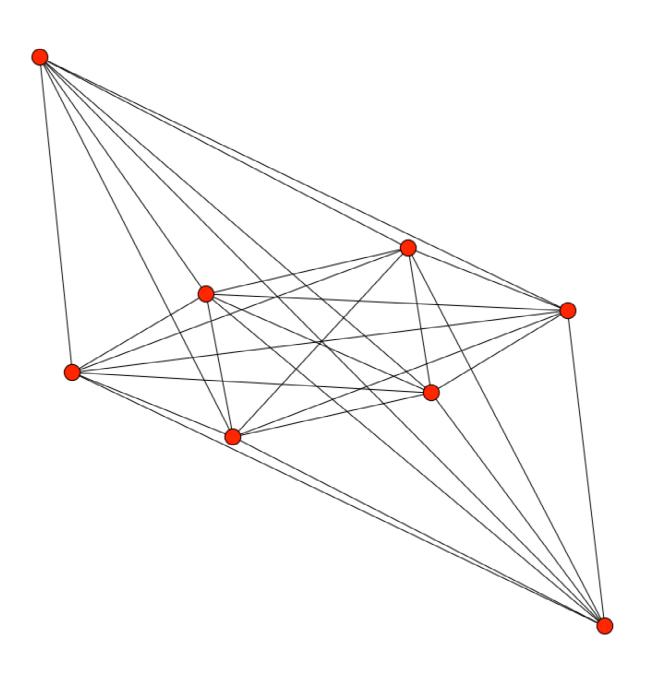


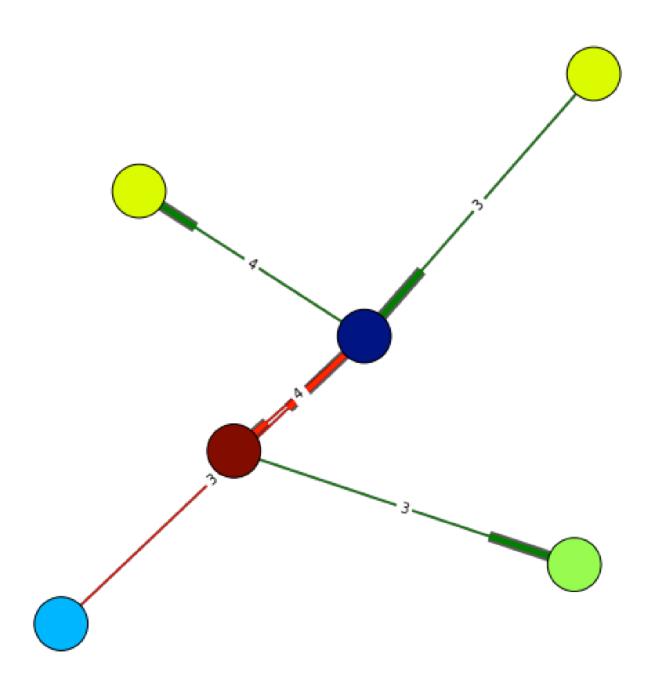
Followers in small Twitter network

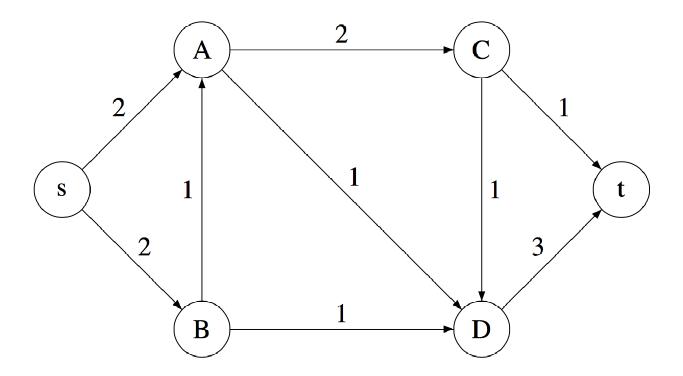


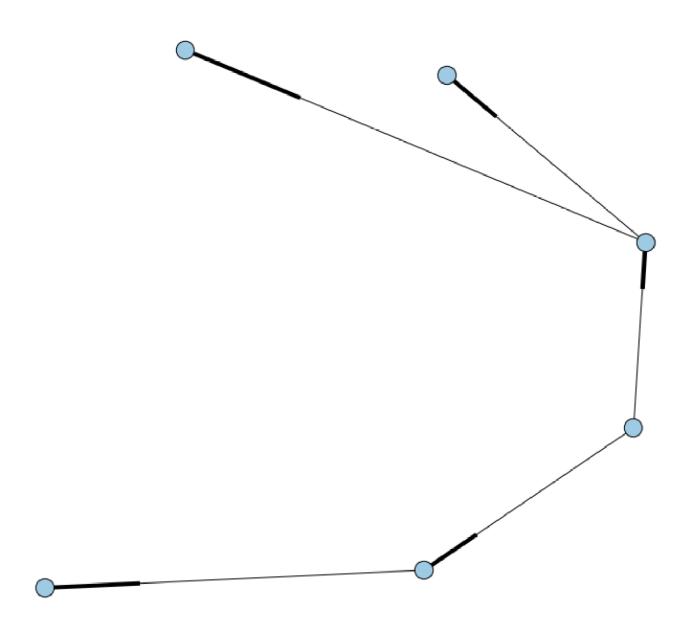


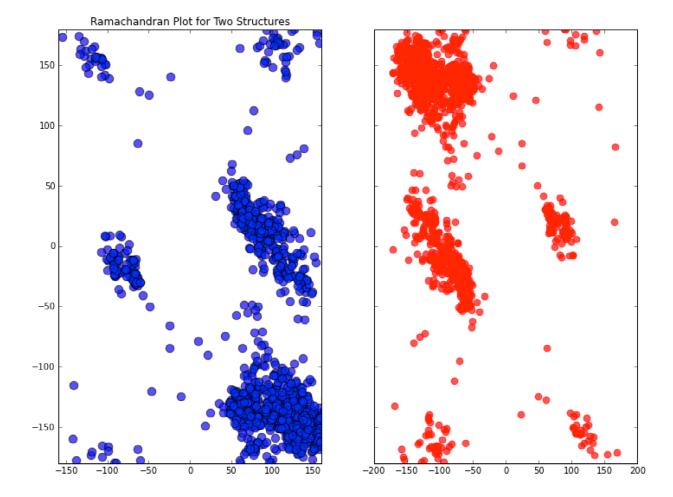


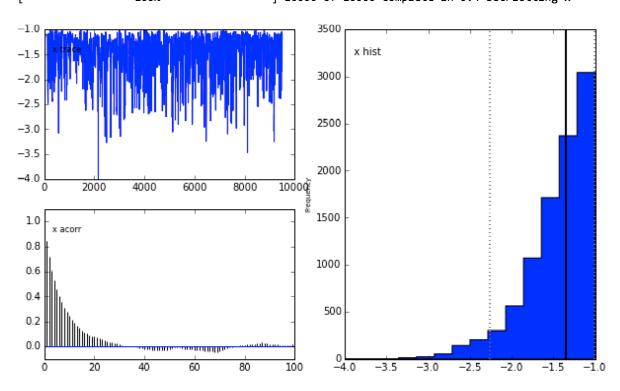


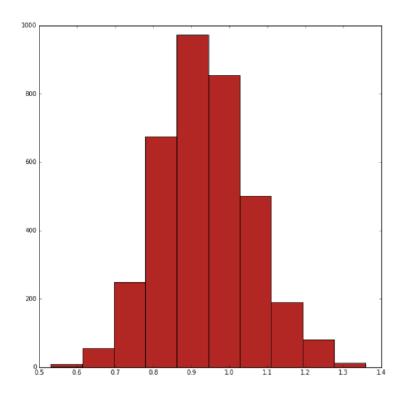












Info: Direct method is selected to perform stochastic simulations.
Parsing file: /Users/kvenkatr/Stochpy/pscmodels/ImmigrationDeath.psc

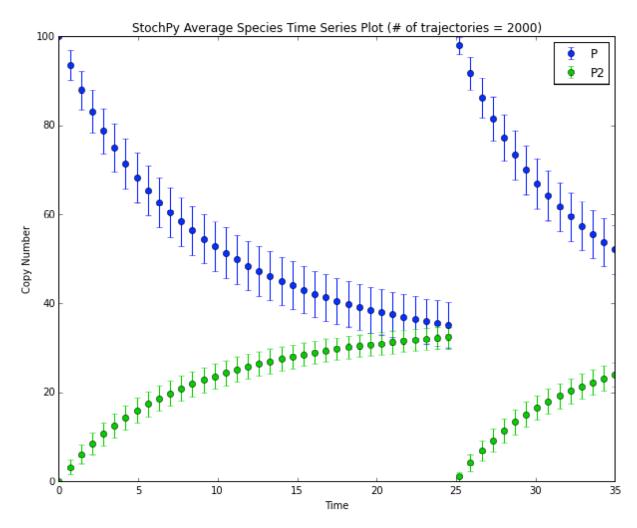
Info: No reagents have been fixed

Parsing file: /Users/kvenkatr/Stochpy/pscmodels/dsmts-003-04.xml.psc

Info: No reagents have been fixed

Event(s) detected.

Info: 2000 trajectories are generated
Info: Simulation time: 8.24345302582



Chapter 8: Advanced Visualization

$$dS_t = \mu S_t dt + \sigma S_t dW_t$$

